

## CHEMICAL KINETICS

It is the branch of physical chemistry which deals with the rate of chemical reactions and also factors affecting the rate of the chemical reaction.

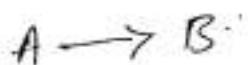
### Rate of a chemical reaction:-

Rate, speed or velocity of a reaction has the same meaning in chemical kinetics.

Rate of a reaction is defined as "the rate of change of concentration of reactants or products in unit time".

$$\text{Rate} = -\frac{dx}{dt} \quad \text{where } dx = \text{change in con}^n \text{ of Reactants or products with time. } dt$$

Let us consider the reaction of the type:



$$\text{Rate of reaction with respect to A} = -\frac{d[A]}{dt}$$

-ve sign indicates conc of A decreases with time.  $dt$

$$\text{Rate of reaction wrt to time B} = +\frac{d[B]}{dt}$$

+ve sign indicates conc of B increases with time.  $dt$ .

$$\text{Thus over all rate of reaction } \frac{dx}{dt} = -\frac{d[A]}{dt} = +\frac{d[B]}{dt}$$

## Factors influencing rate of reaction :-

① concentration of reactants :- The rate of reaction increases with increase in concen of reactant. This is due to increase in number of collisions between reactant molecules per second.

### ② Effect of catalyst :-

The catalyst is a substance which alters the rate of reaction without undergoing chemical change.

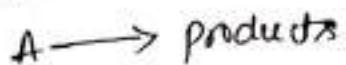
In presence of catalyst the rate of a reaction increases because the catalyst provides an alternative path with lower energy of activation hence more numk of reactant molecules can become product.

### ③ Effect of Temperature :-

As temperature of a reaction increases the rate of the reaction also increases, because as temperature increases the kinetic energy of molecule increases thus increases the number of effective collision per unit volume per second increases as collision increases rate of reaction also increases.

## Velocity constant:

Rate of a reaction depends on conc of reactants  
consider the reaction



$$\text{Rate} \propto [A]$$

Rate =  $k[A]$  where  $k$  = velocity constant;  
this is called rate law

when  $[A] = \text{unity}$

$$\text{Then } \boxed{\text{rate} = k}$$

④

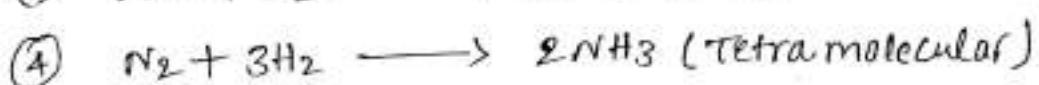
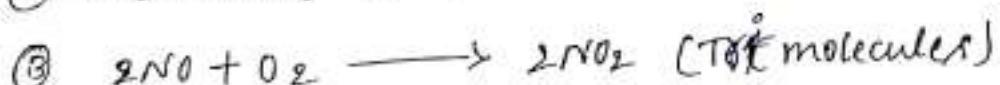
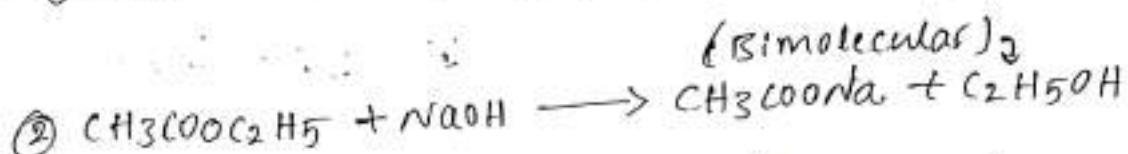
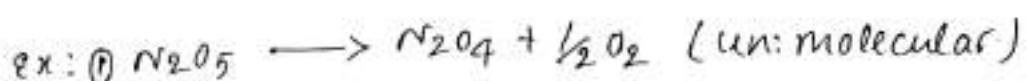
$$\boxed{\text{Rate} = \text{Rate constant}}$$

Mo/

## Molecularity of a reaction:-

The molecularity of a reaction is defined as the number of reactant molecules which take part in an elementary reaction.

- ① molecularity is defined as "total number of reactant molecules taking part in a balanced chemical equation"



## Order of a reaction:-

order of a reaction is defined as "sum of the powers of concentration terms appearing in an experimentally determined rate eqn"

To understand the concept order of a reaction



According to law of mass action

$$\text{rate} \propto [A]^a \times [B]^b$$

$$\text{rate} = k [A]^a [B]^b$$

where  $k \rightarrow$  rate constant  $\oplus$   
velocity constant

$$\boxed{\text{order} = a+b}$$

$a \rightarrow$  order of reac. wrt A  
 $b \rightarrow$  order of reac. wrt B

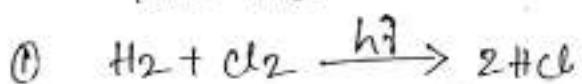
## zero order reaction :-

Reaction whose rate is independent of concentration of the reactants is called zero order reaction.

(@)

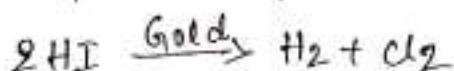
change in concentration of the reactants does not changes the rate of reaction.

Ex:- photo chemical combination of  $H_2$  and  $Cl_2$  to form  $HCl$



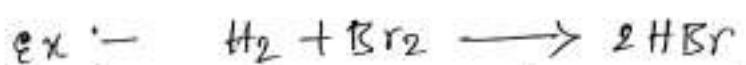
$$\text{Rate.} \propto [H_2]^0 [Cl_2]^0$$

② Decomposition of  $HI$  on gold surface



## Fraction order reaction:-

A reaction in which sum of the powers of the concentration terms is a fraction i.e. called 'fraction order reaction'.



$$\text{rate.} \propto [H_2]^1 \times (Br_2)^{1/2}$$

$$\therefore \text{order} = \frac{3}{2}$$

## Mathematical characteristics of zero order reactions:-

consider a reaction  $A \longrightarrow \text{products}$

$$\frac{dx}{dt} = k[A]^0 \quad @ \quad \frac{dx}{dt} = k \quad \because ([A]^0 = 1)$$

$$③ \frac{dx}{dt} = k(a-x)^0$$

$$\frac{dx}{dt} = k(a-x)^0$$

on Integration

$$x = kt + C \quad C = \text{integration constant}$$

$$\text{when } t=0 \quad x=0 \quad \therefore C=0$$

$$x = kt + 0$$

$$k = \frac{x}{t}$$

This is general eqn for zero order reaction.

$k$  has the unit concentration/time.  
 $\textcircled{a} \text{ mol/l dm}^3 \cdot \text{s}^{-1}$

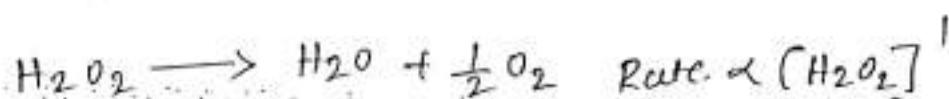
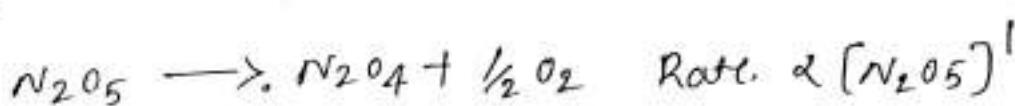
Difference b/w order and molecularity.

order	molecularity
1. order is the sum of the powers of conc' terms in an experimentally determined rate equation	1. Total no of reactant molecules involved in balanced chemical equation
2. order is an empirical quantity $\textcircled{a}$ determined exply	2. Molecularity is a theoretical quantity
3. It can be a positive $\textcircled{a}$ negative integer $\textcircled{a}$ fractional number including zero	3. it is always a whole number and can not be zero
4. It applies to the reaction as a whole.	4. It applies to each and individual step (elementary reactions).

## First order reactions:-

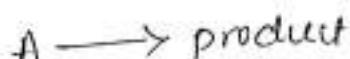
A reaction in which rate is proportional to first power of the concentration of the reactants.

e.g.:-



Rate equation for I order reaction.

consider a reaction



Let  $a \text{ mol dm}^{-3}$  be the initial concentration of A.  
If after time  $t$ ,  $x \text{ mol dm}^{-3}$  of A decompose, the remaining concentration of A is  $(a-x)$ . The rate of formation of the product at any instant is  $\frac{dx}{dt}$ .

$$\therefore \frac{dx}{dt} \propto (a-x)$$

$$\frac{dx}{dt} = k(a-x)$$

$$\frac{dx}{a-x} = k dt$$

on integration.

$$\int \frac{dx}{a-x} = kt$$

$$\ln \frac{a}{a-x} = kt$$

$$k = \frac{1}{t} \ln \frac{a}{a-x}$$

Write

Inte

$$\int \frac{dx}{a-x} = kt$$

$$-\ln(a-x) = kt + C$$

To find C.

$$t=0 \quad x=?$$

$$\ln a = C$$

$$-\ln(a-x) = kt - \ln a$$

$$\ln a - \ln(a-x) = kt$$

$$\ln \left( \frac{a}{a-x} \right) = kt$$

on converting to common log.

$$k = \frac{2.303}{t} \log \frac{a}{(a-x)}$$

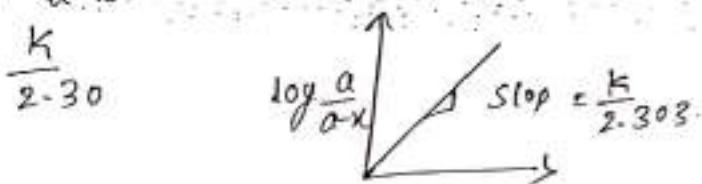
unit of  $k$  is  $\text{time}^{-1} \text{ mol}^{-1} \text{ s}^{-1}$

$\text{min}^{-1}$

some characteristics of the first order reaction.

1. A plot of  $\log \frac{a}{a-x}$  vs time is a straight line

with slope  $\frac{k}{2.303}$



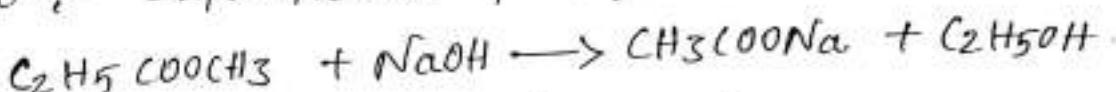
2. The value of  $k$  in a first order reaction is independent of concentration

(Because in 1st order rate eqn. both denominator & numerator gets cancelled)

### SECOND ORDER REACTION :-

Reactions whose rate is directly proportional to second power of the concentration of reactants.

Ex:- saponification of ethyl acetate

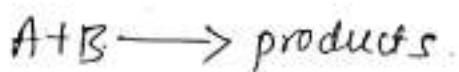


$$\text{Rate} \propto [\text{CH}_3\text{COOCH}_3]^1 [\text{NaOH}]^1$$

$$\text{order} = 1+1 = 2$$

Expression for rate constant of a second order reaction. when  $a=b$  [when initial concn of both reactants are same]

Let us consider a second order reaction of the type.



where  $a$  mole/dm<sup>3</sup> and  $b$  mole/dm<sup>3</sup> are the initial concentration of 'A' and 'B' respectively

$x$  mole/dm<sup>3</sup> is the decrease in concentrations of reactant molecules in time  $t$  sec.

$(a-x)$  mole/dm<sup>3</sup> and  $(b-x)$  mole/dm<sup>3</sup> are the remaining concentrations of A & B at any time  $t$  sec.

$$\text{Rate} \propto [A][B]$$

$$\frac{dx}{dt} = k(a-x)(b-x)$$

when the concn are equal  $a=b$

$$\frac{dx}{dt} = k(a-x)(a-x)$$

$$\frac{dx}{dt} = k(a-x)^2$$

$$\frac{dx}{(a-x)^2} = k \cdot dt$$

on integration.

$$\int \frac{1}{(a-x)^2} dx = k \cdot \int dt$$

NOTE

$$(a-x)^n dr$$

$$= \frac{(a-x)^{n+1}}{n+1 \cdot b}$$

$$= (a-x)^{2+1}$$

$$= \frac{(a-x)^{-2+1}}{(-2+1)(-1)}$$

$$= (a-x)^{-1}$$

$$= \frac{1}{a-x}$$

$$\frac{1}{a-x} = kt + c \rightarrow ①$$

where  $c$  = integration const.

when  $t=0$   $x=0$

$$\frac{1}{a} = k(0) + c \quad \therefore c = \frac{1}{a}$$

substituting the value of  $c$  in ①

$$\frac{1}{a-x} = kt + \frac{1}{a}$$

$$kt = \frac{a - (a-x)}{a(a-x)}$$

$$kt = \frac{a-a+x}{a(a-x)}$$

$$kt = \frac{x}{a(a-x)}$$

$$k = \frac{1}{t} \cdot \frac{x}{a(a-x)}$$

expression for rate const of  
1nd order reaction  
when  $a=b$

unit of  $k$  is

$$k = \frac{1}{t} \cdot \frac{x}{a(a-x)}$$

$$= \frac{1}{s} \cdot \frac{\text{cong}}{\text{cong} \times \text{cong}}$$

$$= \frac{1}{s} \cdot \frac{1}{\text{mol} \cdot \text{dm}^3}$$

$$k = \text{sec}^{-1} \text{mol}^{-1} \text{dm}^3$$

## Characteristics of 2<sup>nd</sup> order reactions:-

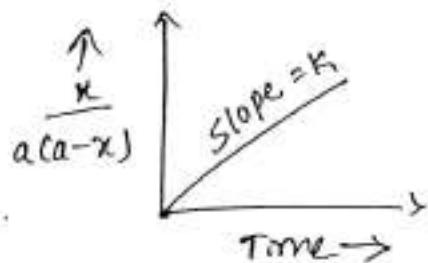
① All 2<sup>nd</sup> order reactions should obey 2<sup>nd</sup> order rate eqn when concentration of reactants initially and at different intervals of time are substituted in respective eqn gives constant k.

② k depends on conc in case of 2<sup>nd</sup> order reaction

$$\text{In 2<sup>nd</sup> order rate eqn } k = \frac{1}{t} \cdot \frac{x}{a(a-x)} = \frac{1}{s} \cdot \frac{\text{conc}}{\text{conc}^2}$$

two conc terms in denominator and one conc term in numerator  $\therefore$  it depends on conc

③ A graph of  $\frac{x}{a(a-x)}$  against time is a straight line with slope k.



Expression for rate constant of a second order reaction. When concentration of the reactants are not equal (a ≠ b) :-

Let us consider a second order reaction of the type.  $A + B \rightarrow \text{product}$ .

When 'a' mole/dm<sup>3</sup> and 'b' mole/dm<sup>3</sup> are the initial concentration of reactants A & B respectively. 'x' mole/dm<sup>3</sup> is the decrease in concentration of reactant 'A' and 'B' in time 't' sec.  $(a-x)$  mole/dm<sup>3</sup> and  $(b-x)$  mole/dm<sup>3</sup> be the

remaining concentration of A & B in time  $t$  seconds.

$$\text{Rate} = k[A][B]$$

$$\frac{dx}{dt} = k(a-x)(b-x)$$

$$\frac{dx}{(a-x)(b-x)} = k dt$$

When the concentration of both reactants are not equal ( $a \neq b$ )

$$\text{then } \frac{dx}{(a-x)(b-x)} = k dt$$

using partial fraction.

$$\frac{1}{(a-x)(b-x)} = \frac{P}{(a-x)} + \frac{Q}{(b-x)} \quad \textcircled{1}$$

$$\frac{1}{(a-x)(b-x)} = \frac{P(b-x) + Q(a-x)}{(a-x)(b-x)}$$

$$1 = P(b-x) + Q(a-x)$$

$$\text{put } x=b \quad \therefore 1 = Q(a-b) \quad \textcircled{a}$$

$$\text{put } x=a \quad \therefore 1 = P(b-a) \quad \textcircled{b}$$

$Q = \frac{1}{(a-b)}$
$P = \frac{1}{(b-a)}$

substitute the value of  $P$  and  $Q$  in eqn  $\textcircled{1}$

$$\frac{1}{(a-x)(b-x)} = \frac{1}{(a-x)(b-a)} + \frac{1}{(b-x)(a-b)}$$

$$\therefore \int \frac{dx}{(a-x)(b-x)} = k \int dt$$

$$\therefore \int \frac{dx}{(a-x)(b-x)} = k \int dt$$

$$\int \left[ \frac{1}{(a-x)(b-a)} + \frac{1}{(b-x)(a-b)} \right] dx = k \int dt$$

$$\frac{1}{(b-a)} \int \frac{1}{a-x} dx + \frac{1}{a-b} \int \frac{1}{b-x} dx = k \cdot \int dt$$

on integration.

$$\frac{1}{(b-a)} (-\ln(a-x)) + \frac{1}{a-b} [-\ln(b-x)] = kt + C$$

$$\frac{1}{a-b} [\ln(a-x) - \ln(b-x)] = kt + C$$

$$\frac{1}{a-b} \ln \frac{(a-x)}{(b-x)} = kt + C \quad \text{--- (2)} \quad C = \text{integration const.}$$

$$\text{put } x=0 \quad t=0$$

$$\frac{1}{a-b} \ln \frac{a}{b} = 0 + C \quad \text{--- (3)} \quad C = \frac{1}{a-b} \ln \frac{a}{b}$$

Substitute in eqn (2).

$$\frac{1}{a-b} \ln \frac{(a-x)}{(b-x)} = kt + \frac{1}{a-b} \ln \frac{a}{b}$$

$$\frac{1}{a-b} \left[ \ln \frac{(a-x)}{(b-x)} - \ln \frac{a}{b} \right] = kt$$

$$\frac{1}{a-b} = \ln \left[ \frac{(a-x)}{(b-x)} / \frac{a}{b} \right] = kt$$

$$k = \frac{1}{t(a-b)} \ln \frac{b(a-x)}{a(b-x)}$$

$\ln a - \ln b : t$

on converting to common log.

$$K = \frac{2.303}{+(a-b)} \log \frac{b(a-x)}{a(b-x)}$$

is an expression for  
second order rate eq<sup>n</sup>  
when the initial conc<sup>n</sup> of  
reactants are different.

### Pseudo unimolecular reactions:-

For some reactions molecularity is two and order is one. (the reactions whose molecularity and order are not same) such reactions are called pseudo unimolecular reactions.

ex: Acid hydrolysis of methyl acetate.



$$\text{Rate} \propto [\text{CH}_3\text{COOC}_2]^1 [\text{H}_2\text{O}]^0$$

In above reaction large quantity of water is taken when compared to quantity of ester.

∴ change in conc<sup>n</sup> of water during reaction is neglected and Rate of reaction depends only on concn of ester, hence it is a first order reaction.

Half life period :- ( $t_{1/2} @ t_{0.5}$ )

Half life period is the time required to complete the reaction by 50% (or)

It is the time required to reduce the initial concentration of reactant to half of its original value.

\* Relationship between HLP and I order reaction:-

W.K.t      I<sup>st</sup> order rate eqn     $k = \frac{2.303}{t/k} \log \frac{a}{a-x}$   
 when  $t = t_{1/2}$      $x = \frac{a}{2}$

$$\therefore k = \frac{2.303}{t_{1/2}} \log \frac{a}{a-\frac{a}{2}} \quad @ \quad k = \frac{2.303}{t_{1/2}} \log 2$$

$$k = \frac{2.303}{t_{1/2}} \times 0.3010$$

$$t_{1/2} = \frac{0.693}{k}$$

∴ HLP of a I<sup>st</sup> order reaction  
is independant of initial  
concentration

\* Relationship b/w HLP and II<sup>nd</sup> order reaction:-

consider reac. eqn for II<sup>nd</sup> order reaction.

$$k = \frac{1}{t} \frac{x}{a(a-x)} \quad \text{when } x = \frac{a}{2} \quad t = t_{1/2}$$

$$k = \frac{1}{t_{1/2}} \frac{a/2}{a(a-\frac{a}{2})}$$

$$k = \frac{1}{t_{1/2}} \frac{a/2}{ax\frac{a}{2}} \quad \therefore k = \frac{1}{t_{1/2} \cdot a}$$

$$t_{1/2} = \frac{1}{k \cdot a} \quad @ \quad \boxed{t_{1/2} \propto \frac{1}{a}}$$

from above eqn it is known that half life  
period of a II order reaction is inversely proportional  
to initial concentration of reactants

In general H.P and order of reaction are related by  
the equation

$$t_{1/2} \propto \frac{1}{a^{n-1}}$$

where  $a = \text{initial concn}$

$n = \text{order of the reaction}$

If  $n=1$  then

$$t_{1/2} \propto \frac{1}{a^0}$$

I order

If  $n=2$  then

$$t_{1/2} \propto \frac{1}{a^1}$$

II order

Mean life period or Average life ( $\bar{l}$ ) :-

It is defined as the reciprocal of rate constant.

mean life  $\bar{l} = \frac{1}{k}$

$$t_{1/2} = \frac{0.693}{k} \quad \text{I order reacn.}$$

$$k = \frac{0.693}{t_{1/2}}$$

$$\frac{1}{k} = \frac{t_{1/2}}{0.693}$$

$$\bar{l} = \frac{t_{1/2}}{0.693}$$

NOTE:- Mean life period is more useful for radioactive series. parent isotope disintegrates to give daughter nucleus. daughter is also radioactive and disintegrates till continuous with different life periods here the term mean life is useful.

## Rate of disintegration @ Radio active decay:

Radio active decay follows 1 order kinetics

∴ Rate of disintegration depends on single species

A radio active element is unstable, it emits (disinteg-  
-rater)  $\alpha$  @  $\beta$ - particle. a daughter element is

formed, which may be stable. @ radio active

The rate of disintegration of a radio active element at any instant is directly proportional to number of atoms present in parent radio active element at that instant. this is known as law of radio active decay. According to this concept

$$\text{Rate of disintegration} = -\frac{dN}{dt} \propto N$$

$-dN$  is decrease in concn of radio active element in time  $dt$ .  $N$  is concn of parent radio active element.

$$-\frac{dN}{dt} = \lambda N \quad \lambda = \text{decay const}$$

$$\text{Integrating } \frac{-dN}{N} = \lambda dt \quad -$$

$$\ln N = -\lambda t + C \quad C = \text{integration constant}$$

$$N = N_0 \quad t = 0$$

$$C = \ln N_0$$

$$\therefore \ln N = -\lambda t + \ln N_0$$

$$\lambda t = \ln \frac{N_0}{N}$$

$$\boxed{\lambda = \frac{1}{t} \ln \frac{N_0}{N}} \quad @ \quad \boxed{\lambda = \frac{2.303}{t} \log \frac{N_0}{N}}$$

## HLP of radioactive element :-

HLP of radioactive element is time required to reduce the radioactive element to half of its original value.

$$\lambda = \frac{2.303}{t} \log \frac{N_0}{N}$$

$$t = t_{1/2} \quad N = \frac{N_0}{2}$$

$$\lambda = \frac{2.303}{t_{1/2}} \times \log 2 \quad @$$

$$t_{1/2} = \frac{0.693}{\lambda}$$

## Methods of determination of order of reaction :-

### ① Integration method @ Trial and error method.

In this method the reaction whose order is to be determined is experimentally carried out by ordinary titration method. The initial concn. of reactants and concentration of reactants converted to products are determined at different intervals of time ( $a$  and  $(a-x)$ ). Then the values obtained are substituted in I, II order rate equation. Which rate equation gives constant 'k'. values & the order of the reaction.

### ② Half life period method :-

The reaction whose order is to be determined is carried out in two different vessels at same temp with different initial concentrations.

Let the concentrations are  $a_1$  and  $a_2$ . The half lives of reactants are determined separately and half lives are  $T_1$  and  $T_2$

We know that  $T_1 \propto \frac{1}{a_1^{n-1}}$  and  $T_2 \propto \frac{1}{a_2^{n-1}}$

$$\frac{T_1}{T_2} = \frac{a_2^{n-1}}{a_1^{n-1}} \quad @ \quad \frac{T_1}{T_2} = \left(\frac{a_2}{a_1}\right)^{n-1}$$

$$\text{Taking log on B.S. } \log \frac{T_1}{T_2} = (n-1) \log \frac{a_2}{a_1}$$

$$n = 1 + \frac{\log T_1 - \log T_2}{\log a_2 - \log a_1}$$

By knowing Half lives  
 $T_1$ ,  $T_2$  & initial conc.  
 $a_1$ ,  $a_2$ . Order of reaction  
can be calculated.

### (3) Ostwald's Isolation method. (-)

This method is suitable to determine the order of the reaction having ("not") more than two reactants.

Let us consider a reaction of the type,



$$\text{Rate} \propto [A]^{n_1} [B]^{n_2} [C]^{n_3} [D]^{n_4}$$

$n_1, n_2, n_3$  and  $n_4$  are the order with respect to reactants A, B, C and D respectively.

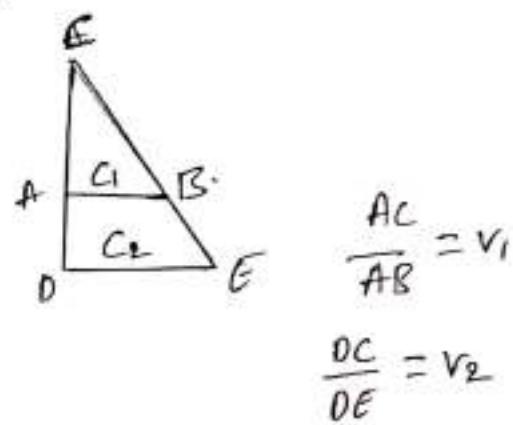
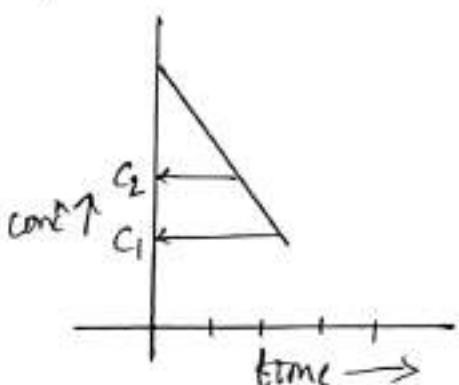
To determine the order of the reaction for above reaction, one of the reactant say 'A' is taken in small quantity and the quantity of

Other reactants B, C and D are taken in excess.  
 The order with respect to A is determined by ordinary titration method. Order is  $n_1$ .  
 Similarly the quantity of B is small. Order with respect to B is determined. ( $n_2$ ).  
 In same way C and D are determined. ( $n_3$  &  $n_4$ )

Then order  $n = n_1 + n_2 + n_3 + n_4$

Differential method  $\circlearrowleft$  vant Hoff's method  $\circlearrowright$

In this method the reaction whose order is to be determined is carried out experimentally. The decrease in conc. of reactant with time is determined. Then a graph of conc. of reactant against time is plotted.



From the graph, the slopes at two different concn's  $C_1$  and  $C_2$  are determined.

The slopes give the rates  $v_1$  &  $v_2$  of the reaction.

If 'n' is the order of the reaction then rate eqn.

can be written as

$$v_1 = k \cdot C_1^n \rightarrow ①$$

$$v_2 = k \cdot C_2^n \rightarrow ②$$

$$\therefore \frac{v_1}{v_2} = \left( \frac{c_1}{c_2} \right)^n$$

Taking log on B.S

$$\log \frac{v_1}{v_2} = n \log \frac{c_1}{c_2}$$

④

$$n = \frac{\log v_1 - \log v_2}{\log c_1 - \log c_2}$$

By knowing  $v_1$ ,  $v_2$  and  $c_1$ ,  $c_2$  order 'n' can be determined.

### Theories of reaction rates:-

In general the rate of chemical reactions have been determined at constant temperature. Experimentally it was confirmed that the rate of chemical reaction increases to a large extent with increase in temperature. To account for the increase in rate with increase in temperature no of theories have been put forward.

they are

- 1) Arrhenius theory
- 2) collision theory
- 3) Lindemann's hypothesis @ Lindemann's theory.
- 4) Activated complex theory @ Transition state theory.

## Arrhenius theory :-

Arrhenius proved that the rate of reaction increases exponentially with increase in temperature. He derived an empirical equation which gives the relation b/w rate constant ( $k$ ) and absolute temperature.

The eqn is

$$k = A \cdot e^{-E_a/RT}$$

where  $k \rightarrow$  rate constant

$A \rightarrow$  Arrhenius factor @ frequency factor.

$E_a \rightarrow$  Activation energy

$R \rightarrow$  Universal gas constant

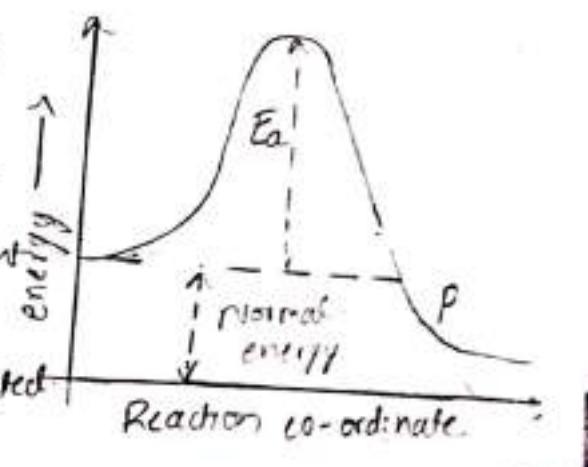
$T \rightarrow$  Absolute temperature.

### Activation energy ( $E_a$ )

It is defined as "The minimum excess energy compared to normal energy required by the reactant molecule to acquire threshold energy to participate in chemical reactions is called Activation energy".

$$E_a = \text{threshold energy} - \text{normal energy}$$

The increase in temperature supplies ' $E_a$ ' to the reactant molecule and helps the reactant molecule to acquire threshold energy. As a result, at higher temp more no. of reactant molecule can participate in the reaction and can be get converted into product.



Determination of energy of activation from Arrhenius equation:-

$$K = A \cdot e^{-\frac{E_a}{RT}}$$

$K$  = Rate constant

$A$  = Arrhenius factor

$e^{-E_a/RT}$  = fraction of the total molecules which are active

Taking log. on B.S

$$\ln K = \ln A - \frac{E_a}{RT}$$

÷ by 2.303

$$\frac{\ln K}{2.303} = \frac{\ln A}{2.303} - \frac{E_a}{2.303RT}$$

converted to common log

$$\log K = \log A - \frac{E_a}{2.303RT} \quad \text{--- (1)}$$

at two temp's  $T_1$  and  $T_2$  at  
two rate const.  $k_1$  and  $k_2$  eqn (1) can be written

as  $\log k_1 = \log A - \frac{E_a}{2.303RT_1} \rightarrow (2)$

$$\log k_2 = \log A - \frac{E_a}{2.303RT_2} \rightarrow (3)$$

Subtract eqn (2) from eqn (3)

$$\log k_2 - \log k_1 = \frac{E_a}{2.303R} \left[ \frac{1}{T_1} - \frac{1}{T_2} \right]$$

$$\log \frac{k_2}{k_1} = \frac{E_a}{2.303R} \left[ \frac{T_2 - T_1}{T_1 T_2} \right] \text{ where } R = \text{Gas constant}$$

By knowing  $k_1$ ,  $k_2$  and  $T_1, T_2$  energy of activation  $E_a$  can  
be determined

## 2) Collision theory :-

According to this theory a chemical reaction to occur the collision b/w the reactant molecules is must. During collision, there is redistribution of energy (amongst the molecules) takes place. Consequently a small fraction of mole acquire energy which is equal to or greater than the threshold energy. These molecules are termed as activated molecules, which can take part in reaction.

Derivation of rate constant of a bimolecular reaction from collision theory :- consider a gaseous bimolecular reaction.



Let  $z$  be the number of molecules colliding per c.c per second. in a bimolecular reaction. Let  $q$  be the fraction of molecules which are in activated state.

According to collision theory

$$k = z q \quad \text{--- (1)}$$

According to Maxwell's law of distribution of molecular velocities that in a gas containing  $n$  no. of molecules.  $n'$  be the fraction of molecules gained activation energy & it is given by

$$n' = n e^{-E_a/RT}$$

$$Q = \frac{\text{number of activated molecules}}{\text{Total number of molecules}} = \frac{n'}{n}$$

$$k = Z e^{-E_a/RT}$$

The value of  $Z$  can be evaluated by kinetic theory of gases.

Case (i): when both the reactants are of the same kind then,

$$Z_{AA} = \sqrt{2\pi v_0^2 n^2}$$

$v_0$  → average velocity

$\sigma$  → collision diameter

$n$  → total no of molecules

Case (ii) :- when the reactant molecules are of different kind

$$Z_{AB} = \sqrt{2\pi v} \left( \frac{\sigma_A + \sigma_B}{2} \right) n_A n_B$$

Where

$\sigma_A$  → collision diameter of A

$\sigma_B$  → collision diameter of B

$n_A$  → no of molecules of A

$n_B$  → no of molecules of B

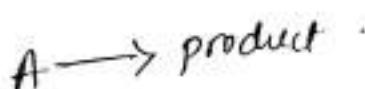
### Limitation of collision theory:-

- 1) The theory is applicable only for gaseous bimolecular reactions involving simple molecules like  $H_2$ ,  $O_2$ ,  $N_2$  etc.
- 2) According to the collision theory all activated molecules can take part in the reaction but it is not true practically.  
In addition to ' $E_a$ ' the reactant molecule must possess proper orientation at the time of collision.
- 3) The theory fails to explain unimolecular reaction.

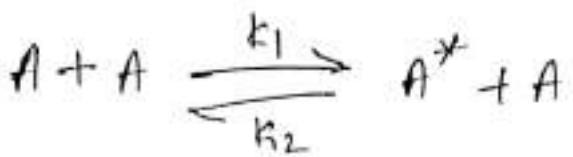
### Lindemann's Hypothesis:-

According to this hypothesis even in unimolecular reactions bimolecular collisions take place. During this collision, a activated molecule is formed. Lindemann said that there is a time gap b/w activation and reaction. During this time gap the activated molecule either loose energy to give back the reactant or decompose to give the product.

Consider a unimolecular reaction of type



According to Lindemann's hypothesis unimolecular reaction undergoes bimolecular collision.



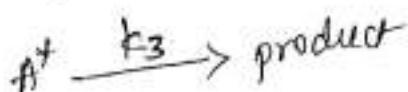
where  $A^*$  = Activated molecule

$A$  = molecule with ICM energy

$k_1$  = rate constant for activation process

$k_2$  = rate constant for deactivation process

The activated molecule ( $A^*$ ) may also decompose into product



where  $k_3$  = rate constant for decomposition.

(@) formation of product

The rate of disappearance of  $A$  (reactant) to form products is directly proportional to the concentration of  $A^*$

$$\therefore -\frac{d[A]}{dt} = k_3 [A^*] \quad \text{--- (1)}$$

$$\text{Rate of formation of } A^* = k_1 [A]^2 \quad \text{--- (2)}$$

$$\text{Rate of disappearance of } A^* = k_2 [A] [A^*] + k_3 [A^*] \quad \text{--- (3)}$$

$\therefore$  Rate of disappearance of  $A^*$  take place in 2 ways deactivate to give original reactant molecule

@ activated molecules decompose to give product

According to steady state principle, when an activated molecule @ activated complex with a short life span is formed in a reaction, then its rate of formation is equal to rate of disappearance.

$$\therefore \text{eqn } ② = \text{eqn } ③$$

$$k_1[A]^2 = k_2[A][A^*] + k_3[A^*]$$

$$k_1[A]^2 = [A^*] [k_2[A] + k_3]$$

$$[A^*] = \frac{k_1[A]^2}{k_2[A] + k_3}$$

Substitute the value of  $[A^*]$  in eqn ①

$$\therefore -\frac{d[A]}{dt} = \frac{k_3 k_1[A]^2}{k_2[A] + k_3} \quad \text{--- } ④$$

Two possibilities have been considered at this stage.

Case - I :- When  $k_2[A] \gg k_3$  means rate of deactivation of the activated molecule to give back reactant ( $k_2$ ) is very much greater than the activated molecule to give product ( $k_3$ )

then eqn ④ becomes

$$\therefore -\frac{d[A]}{dt} = \frac{k_3 \cdot k_1[A]^2}{k_2[A]}$$

$$-\frac{d[A]}{dt} = k_1[A] \quad \text{where } \frac{k_3 k_1}{k_2} = k \text{ (constant)}$$

this shows that the reaction is first order

Case 2:, when  $k_2[A] \ll k_3$  means rate of deactivation of the activated molecule to give back reactant ( $k_2$ ) is very much smaller than the activated molecule to give product ( $k_3$ )

then eqn (4) becomes

$$-\frac{d[A]}{dt} = \frac{k_3 \cdot k_1[A]^2}{k_2}$$

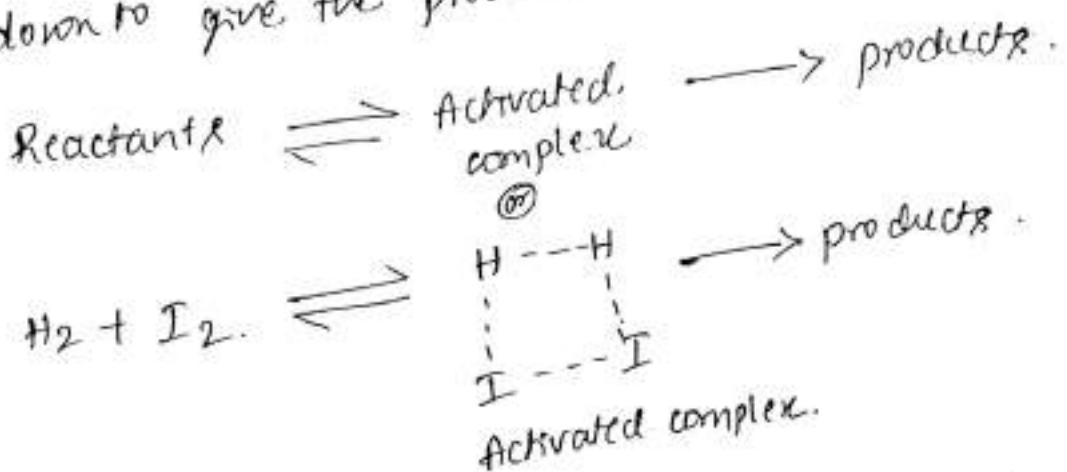
$$-\frac{d[A]}{dt} = k_1[A]^2$$

this shows that the reaction is second order; unimolecular reaction follows I order kinetics when the conc of reactant 'A' is high and it follows II order when the conc of reactant A is low.

## Activated complex theory @ Transition state theory

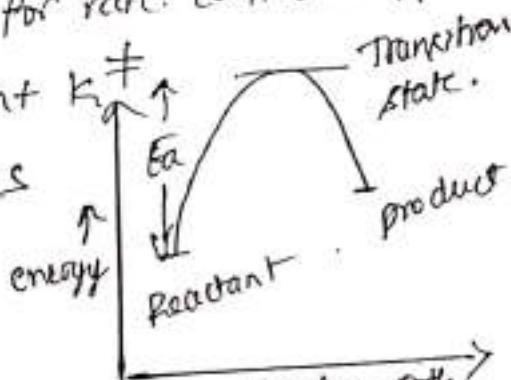
[Rate constant based on equilibrium constant and thermodynamic aspects]

This theory was proposed by Eyring and Polanyi. According to this theory reactant molecule in a reaction are first transformed into an energy rich intermediate compound called activated complex. This activated complex is highly unstable and it breaks down to give the products.



Eyring derived an expression for rate constant  $k$  in terms of equilibrium constant  $K^f$  by using statistical mechanics. According to that

$$k = \frac{RT}{Nh} \cdot K^f \quad \textcircled{1}$$



where:  $K^f$  = rate constant for reaction  $A + B \rightarrow \text{product}$

$K^f$  = equilibrium constant for formation of activated complex.

$N$  = Avogadro number

$h$  = plank's constant  $T$  = absolute temp!

from thermodynamics.

$$\Delta G_f^{\circ} = -RT \ln K \quad \text{--- (2)}$$

where  $K$  = equilibrium constant.

$\Delta G_f^{\circ}$  = standard free energy change during the reaction

$$\therefore K = e^{-\frac{\Delta G_f^{\circ}}{RT}} \quad \text{--- (3)}$$

for activated complex equilibrium constant ( $K^{\ddagger}$ )

can be written as

$$K^{\ddagger} = e^{-\frac{\Delta G^{\ddagger}}{RT}} \quad \text{--- (4)}$$

where  $\Delta G^{\ddagger}$  = free energy change for activated complex

But  $\Delta G = \Delta H - T \cdot \Delta S$  (from Gibbs-Helmholtz equation)

$$\Delta G^{\ddagger} = \Delta H^{\ddagger} - T \cdot \Delta S^{\ddagger} \quad \text{--- (5)}$$

where  $\Delta H^{\ddagger}$  and  $\Delta S^{\ddagger}$  are the enthalpy change and entropy change for the formation of activated complex

substituting the value of  $\Delta G^{\ddagger}$  in eqn (4)

$$K^{\ddagger} = e^{-\frac{(\Delta H^{\ddagger} - T \cdot \Delta S^{\ddagger})}{RT}}$$

$$K^{\ddagger} = e^{-\Delta H^{\ddagger}} \cdot e^{\frac{\Delta S^{\ddagger}}{R}} \quad \text{--- (6)}$$

substituting the value of  $k^{\ddagger}$  in eqn ①

$$k = \frac{RT}{Nh} \cdot e^{-\frac{\Delta H^{\ddagger}}{RT}} \cdot C \frac{\Delta S^{\ddagger}}{R} \rightarrow ⑦$$

in eqn ⑦ the value of  $\frac{RT}{Nh}$  is constant.

at a particular temperature and  $\Delta H^{\ddagger}$  is equal to energy of activation  $E_a$  then eqn ⑦

can be written as

$$k = \frac{RT}{Nh} \cdot e^{-\frac{E_a}{RT}} \cdot e^{\frac{\Delta S^{\ddagger}}{R}}$$

This is the expression for  $k$  based on transition state theory.

Valence bond theory.

Kushala P.S

Dept of chemistry  
IV Semester

Linus Pauling proposed a theory in 1931 to explain the structure and magnetic properties of complex compounds. He was awarded Nobel prize in chemistry in 1954.

The important assumptions of VBT are,

- \* A coordinate covalent bond is formed by the overlapping of suitable empty orbitals of a transition metal ion with filled orbitals of Ligand.
- \* The central metal ion in the complex makes available a set of empty orbitals for hybridization by rearrangement of electrons. The number of empty orbitals thus made available correspond to the coordination number of the central metal ion.
- \* The transition metal atom or an ion may used inner  $(n-1)d$  orbital or outer 'nd' orbital for hybridization.  
 ⇒ If inner  $(n-1)d$  orbital is involved in hybridization, they are resulting complex called "Inner orbital or Spin pair or Low spin complex".  
 ⇒ If outer 'nd' orbital is involved in hybridization, the resulting complex is "Outer orbital complex or spin free or High spin complex".
- \* The formed coordinate covalent bond have fixed directional property as a result they orient in a definite direction. Hence, the resulting complex acquires a definite geometrical shape with definite bond angle, type of hybridization decides geometry of complexes.
- \* The formed complex compound exhibits different magnetic properties such as diamagnetic and paramagnetic.  
 ⇒ The complex compound containing one or more unpaired electrons is paramagnetic and hence, attracted towards magnet.  
 ⇒ A complex compound which does not contains any unpaired electrons is diamagnetic and is repel by the magnet.

### Merits of valence bond theory.

- ⇒ VBT satisfactorily explains geometrical shape and magnetic properties of complex compounds.
- ⇒ This theory explains the formation of inner orbital complex and outer orbital complex.

### Demerits of valence bond theory.

Limitations of VBT are,

1. It cannot be extended quantitatively.
2. This theory does not explain characteristic absorption spectra of the co-ordination compounds and their colour.
3. VBT fails to explain thermodynamic stability of complexes.
4. VBT does not provide any satisfactory explanation for existence of inner orbital and outer orbital complex.
5. VBT fails to explain the shape and magnetic properties of some of metal complexes.

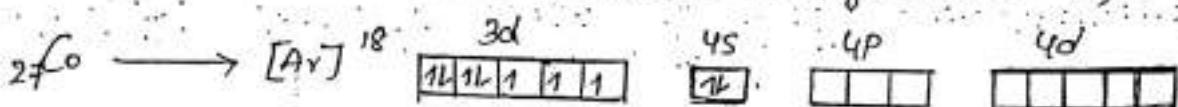
example:  $[\text{Cu}(\text{NH}_3)_4]^{2+}$  Cupr ammonium cation should be tetrahedral in shape and paramagnetic in nature but, practically it is square planar and diamagnetic in nature. Deviation in structure and magnetic property cannot be explained by VBT.

## Applications of VBT:

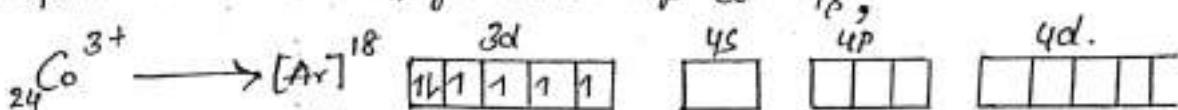
VBT can be used to explain the formation, type of hybridization, electronic configuration (arrangement), geometrical shape and magnetic properties of complex compounds.

ex: ①  $[\text{Co}(\text{F})_6]^{3-}$  (Hexa fluoro Cobaltate(III))

In the given complex anion the transition metal is Cobalt with atomic number 27. It's electronic configuration is,

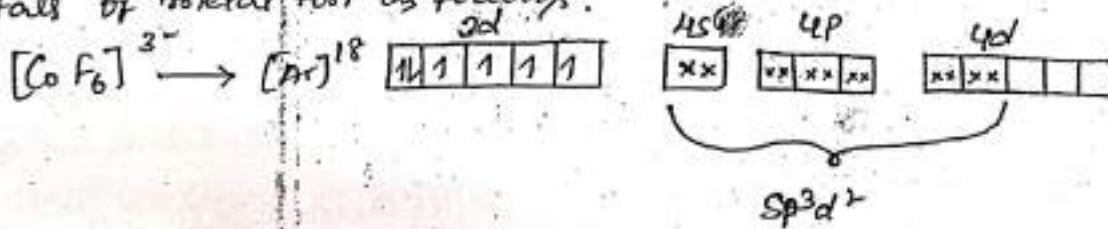


In given complex anion: Cobalt is in +3 oxidation state therefore electronic configuration of  $\text{Co}^{3+}$  is,



When transition metal atom is approached by 6 F ligands the transition metal undergoes  $\text{sp}^3\text{d}^2$  hybridization. The metal ion provides outer d-orbital for hybridization because fluoride ligands are the weak field ligands. It is incapable to force the electrons to pair up in the inner 3d-orbital due to  $\text{sp}^3\text{d}^2$  hybridization the formed six hybrid orbitals possess same shape and same energy they differ in their orientation. The six hybrid orbitals orient corners of the regular octahedron

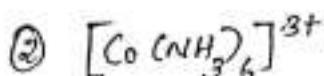
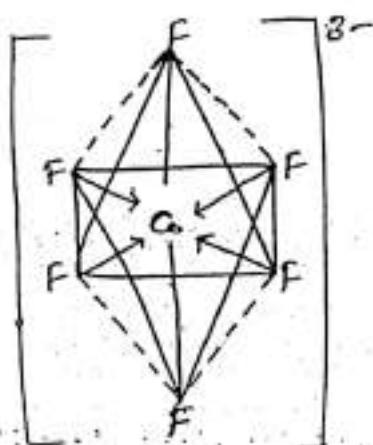
The electrons of ligands are accommodated in the hybrid orbitals of metal ion as follows.



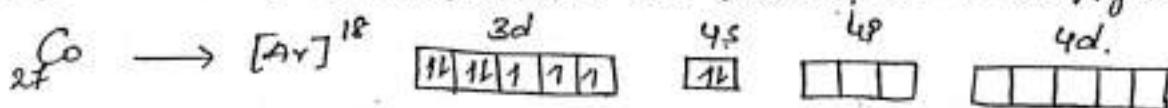
Due to  $\text{sp}^3\text{d}^2$  hybridization the complex anion is octahedral in shape which is as follows. (Figure)

$\text{PF}_6^-$  is an outer orbital complex. ② Spin free complex ③ High spin complex. Due to presence of 4 unpaired electrons the complex anion is paramagnetic.

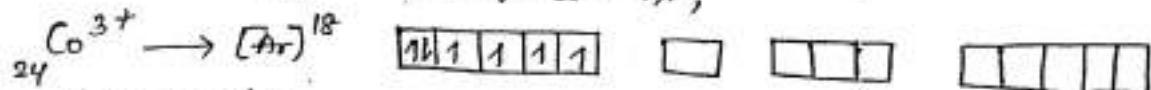
(4)



In the given complex cation the transition metal is Cobalt with atomic number 27.  $2f^8$  electronic configuration.

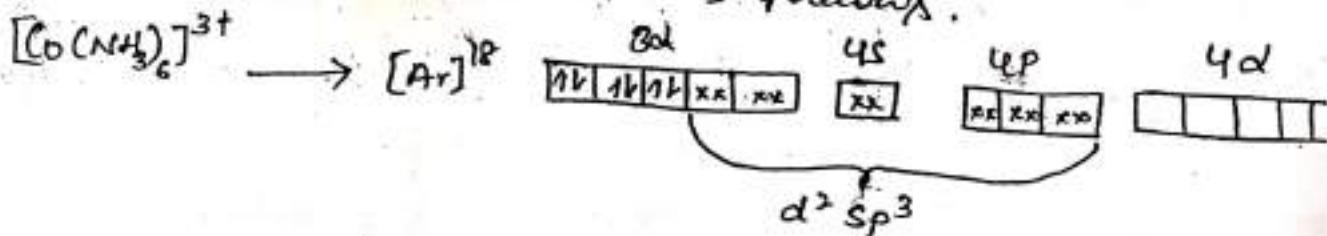


In given complex cation Cobalt is in +3 oxidation state. therefore electronic configuration of  $\text{Co}^{3+}$  is,

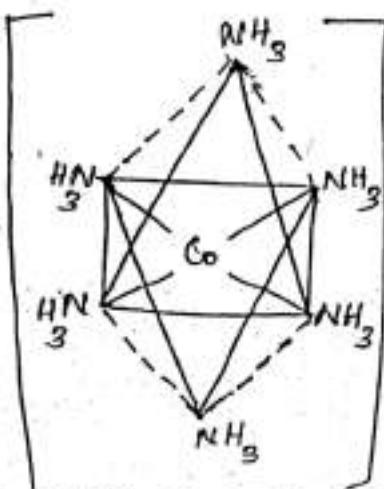


when  $\text{Co}^{3+}$  is approached by six ammonia ligands, the transition metal ion undergoes  $d^2\text{sp}^3$  hybridization. the metal provides inner 3d-orbital for hybridization because,  $\text{NH}_3$  ligands are strong field ligands. It is capable to force the electrons to pair up in the former 3d orbital. due to  $d^2\text{sp}^3$  hybridization, the formed six hybrid orbitals possess same shape and same energy. The six ligands orient toward the corners of a regular octahedron.

The electrons of ligand will accommodate in the hybrid orbitals of metal ion as follows.

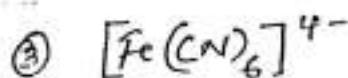


(5)

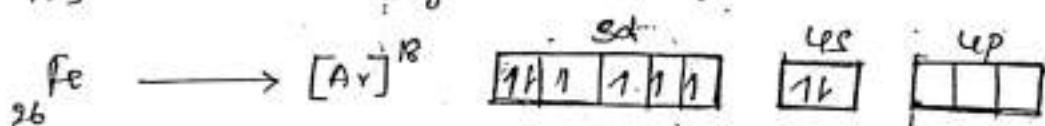


8t Octahedral in shape.

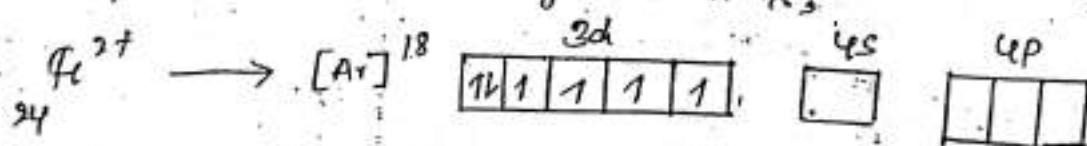
It is an inner orbital complex (low spin complex). Due to presence of paired electrons the complex cation is Diamagnetic in nature.



In hexacyano ferrate (II) the transition metal is Iron. Its electronic configuration is,

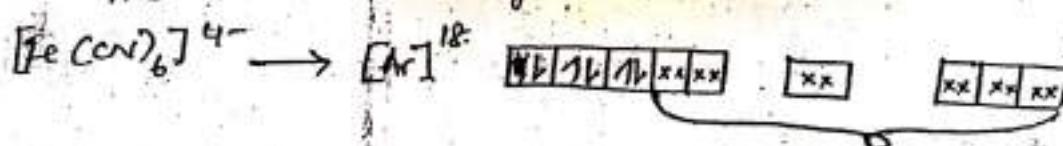


In given complex anion Iron is in +2 oxidation state therefore electronic configuration is,

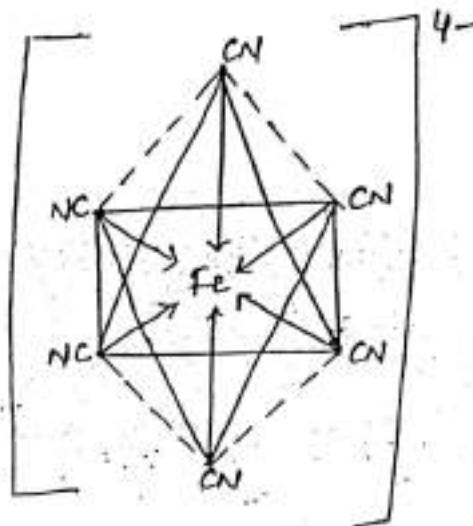


When metal ion is approached by 6 cyanide ligands which are strong field ligands, the ~~electro~~ ~~outer~~ electrons in the 3d-orbitals are forced to pair up in some 3d-orbital. Hence, the metal undergoes  $d^2sp^3$  hybridization.

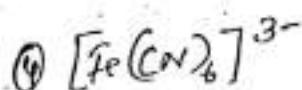
The electronic arrangement of given complex.



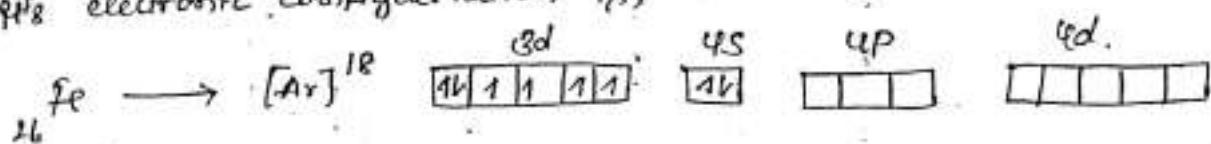
Since, there is no unpaired  $d^2sp^3$  electrons the complex anion is Diamagnetic. In nature. Due to  $d^2sp^3$  hybridization. It is octahedral in shape. which is as shown below.



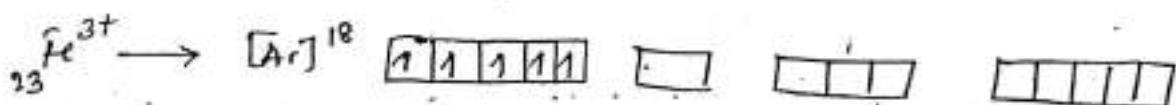
It is inner orbital complex and low spin complex.



Hexacyano ferrate (III) the transition metal is Iron, and its electronic configuration is,

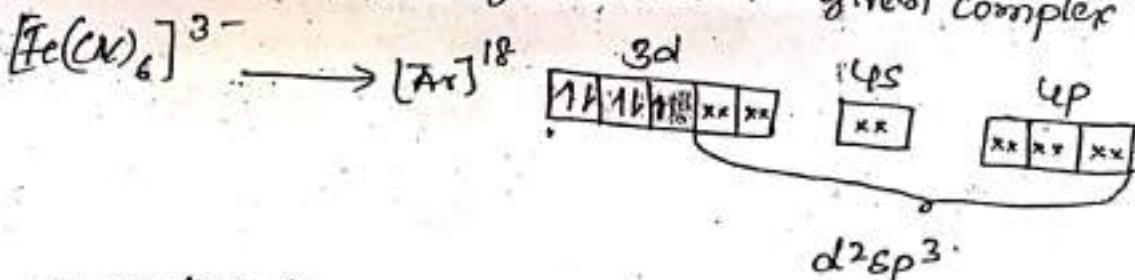


In the given complex cation Iron is in +3 oxidation state therefore the electronic configuration of  $\text{Fe}^{3+}$  is,



when the metal ion Iron is approached by 6 cyanide ligands which are strong field ligands. the electrons of 3d orbitals are forced to pair up in 3d-orbital. Hence, the metal ion undergoes  $d^2sp^3$  hybridization.

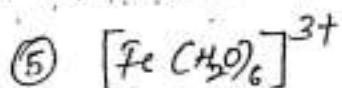
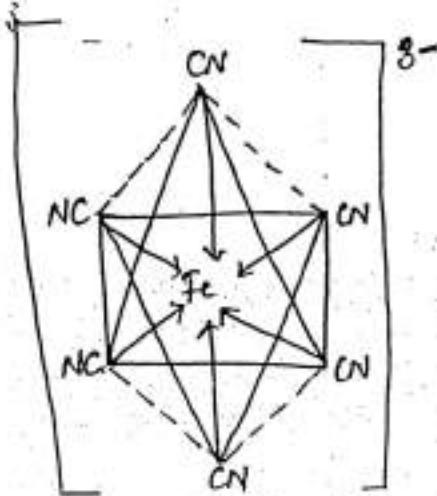
The electronic configuration of given complex is,



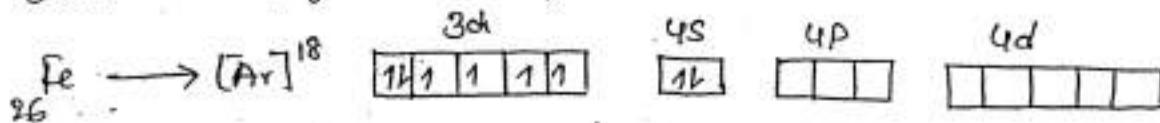
Since, there is one unpaired electron, the complex is paramagnetic in nature. Octahedral is true.

(7)

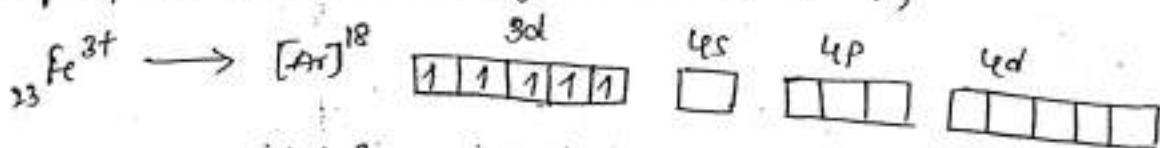
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Hexa aqua Iron(III). the transition metal is Iron. and its electronic configuration is,

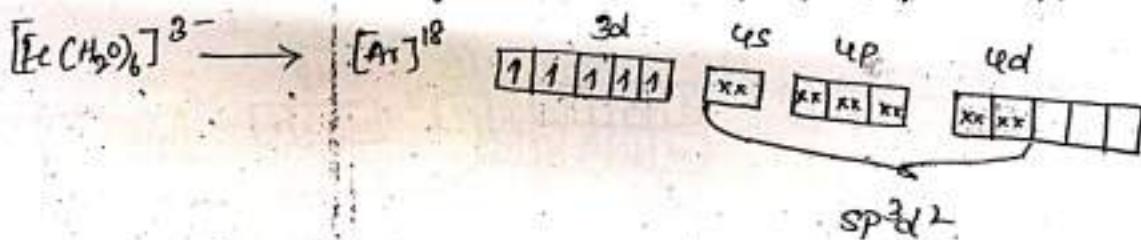


In given complex son the Iron is in +3 oxidation state therefore, the electronic configuration of  $\text{Fe}^{3+}$  is,

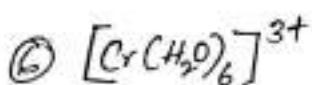
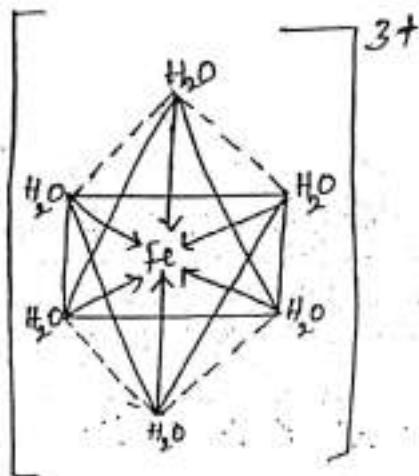


when the metal ion Iron is approached by 6 water ligands (aqua ligand) which are weak field ligand. the electrons of 4d-orbitals are filled up by ligand. The metal ion undergoes  $\text{sp}^3\text{d}^2$  hybridization.

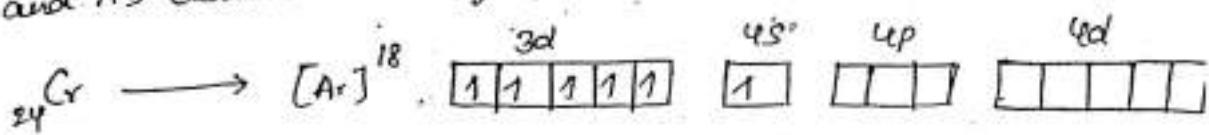
The electronic configuration of given Complex son.



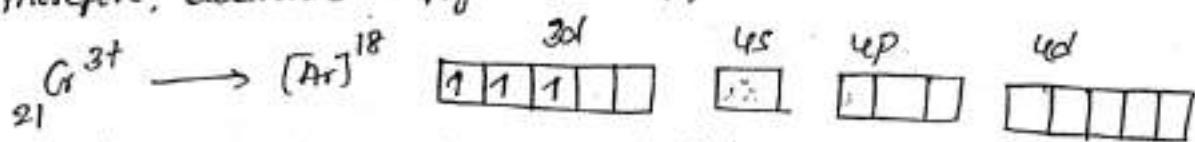
Since, there is unpaired electron. the complex ion is paramagnetic. in nature. due to  $\text{sp}^3\text{d}^2$  hybridization octahedral in shape. It is an outer sphere complex.



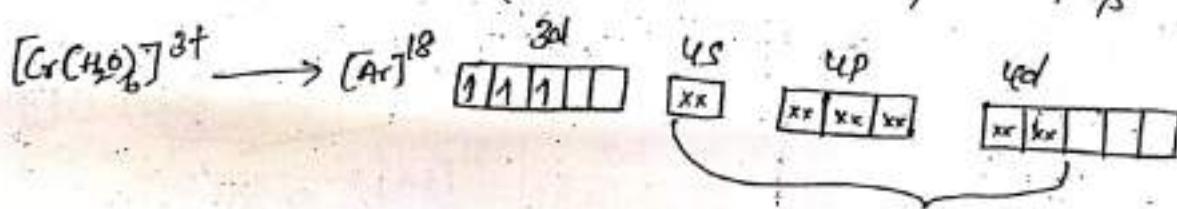
In Hexa aqua chromium(III) the transition metal is chromium and its electronic configuration is 18.



In given complex chromium is in +3 oxidation state. Therefore, electronic configuration is,



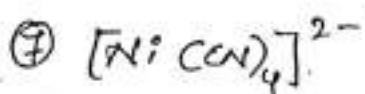
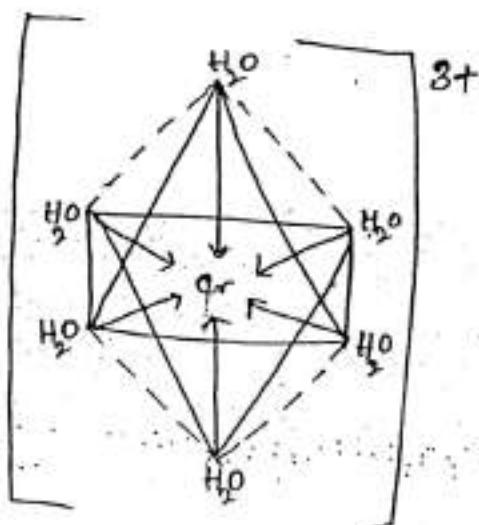
when the metal ion is approached by 6 aqua ligands which are weak field ligands. the ~~transition~~ ~~ion~~ 4d provides outer d-orbital for hybridization. undergoes  $\text{sp}^3\text{d}^2$  hybridization. the electronic configuration of given complex is,



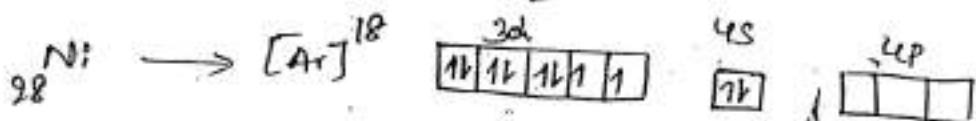
Due to  $\text{Sp}^3\text{d}^2$  hybridization octahedral ion shape. Since, unpaired electrons are present it is paramagnetic in nature. It is an outer orbital complex.

(5)

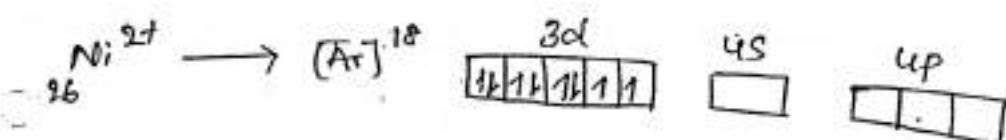
(9)



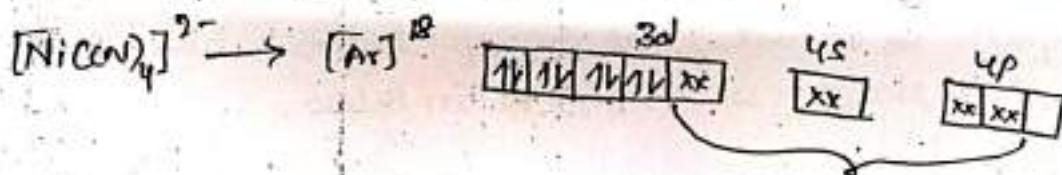
In tetra cyano nickelate(II) ion the transition metal is nickel. Zt's atomic no. is 28.



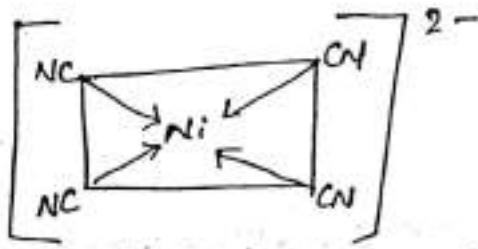
The given complex ion, Ni is in +2 oxidation state. Its electronic configuration is,



When metal ion is approached by four cyano ligands which are strong field ligands the electrons of the corner 3d-orbital are forced to pair up. Hence metal ion undergoes  $\text{dsp}^2$  hybridization.

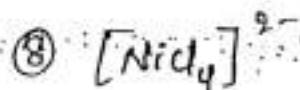


Since, there is no unpaired electron in the complex ion it is diamagnetic in nature. Due to  $\text{dsp}^2$  hybridization it is square planar in shape. as shown below.

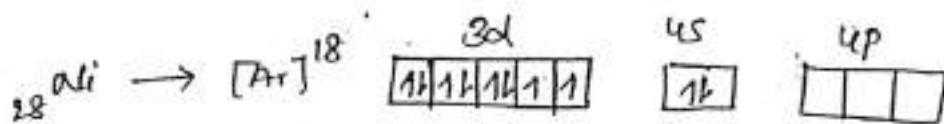


(10)

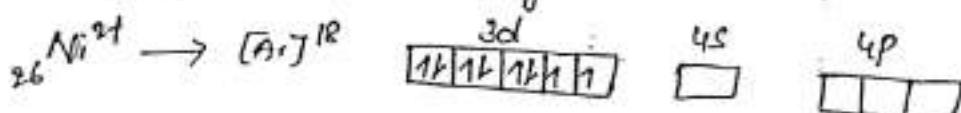
2t 18 inner orbital Complex, low spin  $\oplus$  spin paired Complex.



In tetrachloro Nickelate(II)  $[\text{NiCl}_4]^{2-}$ , the transition metal is Ni. and its electronic configuration is,

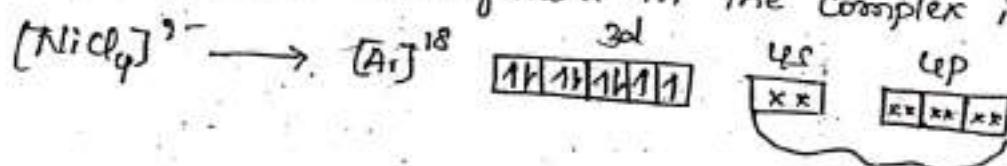


In given complex anion, Ni is in +2 oxidation state therefore, electronic configuration.

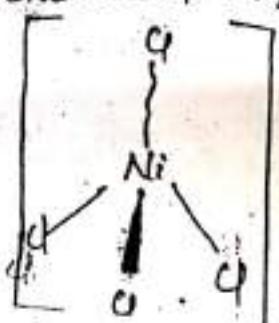


When metal ion approached by four  $\text{Cl}^-$  ligands, which are weak field ligands, the electrons of 3d-orbital does not pair up. Hence, metal undergoes  $\text{sp}^3$  hybridization.

The electronic arrangement in the complex is



Since, there are unpaired electrons  $\text{sp}^3$  paramagnetic in nature. Due to  $\text{sp}^3$  hybridization it is tetrahedral in shape, which shown is below.

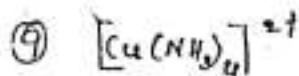


2t 18 outer orbital complex. Spin free Complex.  $\oplus$  high spin complex.

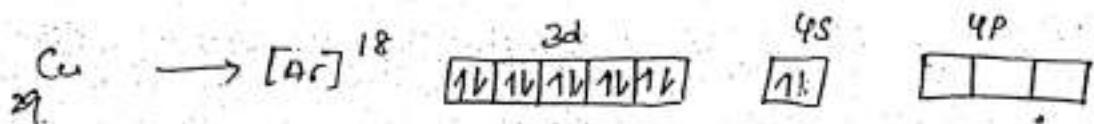
## Type of Hybridization in metal complexes.

coordination number	Type of hybridization	Geometry	Example
2	$sp$	Linear	$[\text{Ag}(\text{NH}_3)_2]^+$
3	$sp^2$	Trigonal planar	$[\text{HgI}_3]^-$
4	$sp^3$	Tetrahedral	$[\text{Ni}(\text{CO})_4]$
4	$dsp^2$	Square planar	$[\text{Ni}(\text{CN})_4]^{2-}$
5	$dsp^3$	Trigonal bipyramidal	$[\text{Fe}(\text{CO})_5]$
6	$d^2sp^3$	Octahedral	$[\text{Co}(\text{NH}_3)_6]^{3+}$
6	$sp^3d^2$	Octahedral	$[\text{CoF}_6]^{4-}$

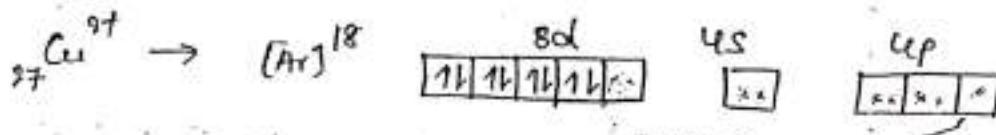
(6)



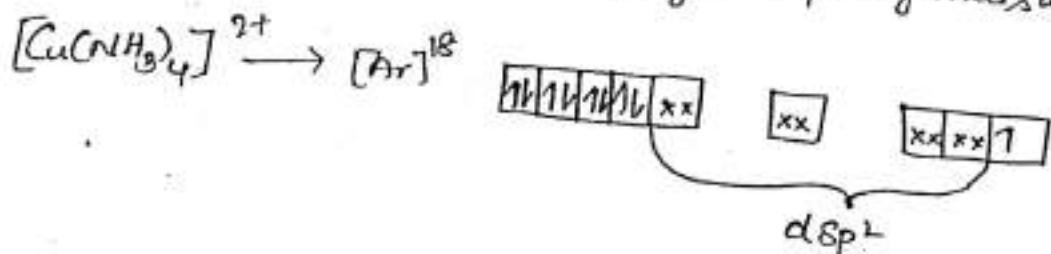
In tetraamino copper(II) ion, the transition metal is Cu.  
It's Electronic Configuration.



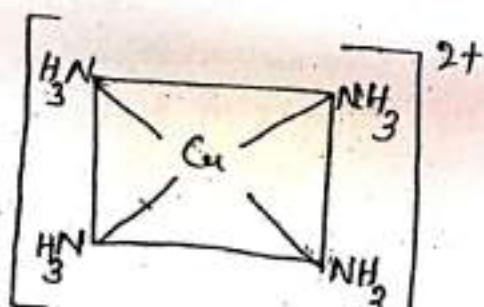
In given complex ion, Cu is in +2 oxidation state  
therefore, Electronic configuration



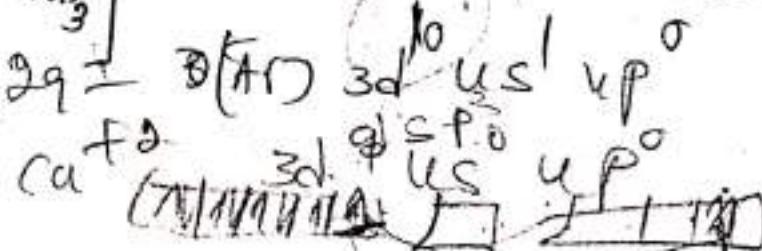
when metal approached by four  $\text{NH}_3$  ligands, which are strong field ligands, the electrons of inner 3d-orbital are forced to pair up resulting in one electron jump from 3d to 4p orbital. Hence, this undergoes  $d\text{sp}^2$  hybridization.



Since there is a unpaired electron in complex it is paramagnetic in nature. due to  $d\text{sp}^2$  hybridization it is square planar in shape. as shown below.



It is an inner orbital complex.  
low spin or spin paired complex



## Isomerism in Coordination Compounds.

Compounds having same molecular formula but differ in their structural formula are called Isomers and the phenomenon is called Isomerism.

→ There are two types of Isomerism in complex compounds.

- (i) Structural Isomerism
- (ii) Stereo Isomerism.

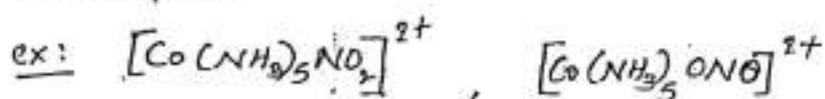
### (i) Structural Isomerism.

Complex compounds with same molecular formula but differ in their structure are called "Structural Isomers" and the phenomenon is called as structural Isomerism.

There are four types.

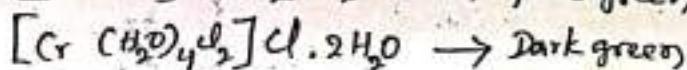
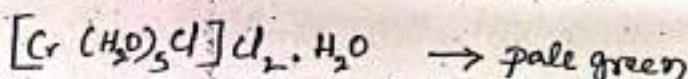
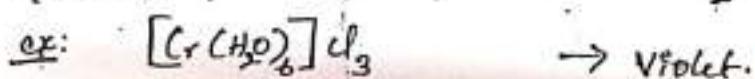
#### (a) Linkage Isomers:-

A pair of structural isomers in which the ligands linked to the metal ion with different donor atoms are called Linkage Isomers and the phenomenon is called Linkage Isomerism.



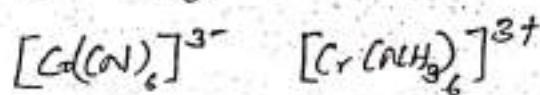
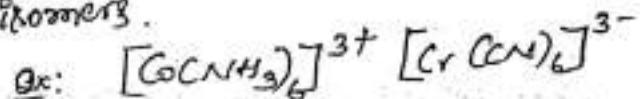
#### (b) Hydrated Isomers:-

A pair of structural Isomers for which different no of water molecules serve as a ligands are called hydrated Isomers.



## (C) Co-ordination isomers:-

A pair of structural isomers which differ in their co-ordination of ligands b/w the metal ions are called 'co-ordination isomers'.



## (D) Ionization isomerism:-

A pair of structural isomers which produces different ions when dissolved in water are called 'ionization isomerism'.



## (II) Stereo Isomerism

A pair of complex compounds with same chemical composition but differ in their arrangement of ligands in space are called "stereo isomers". The phenomenon is called stereo isomerism.

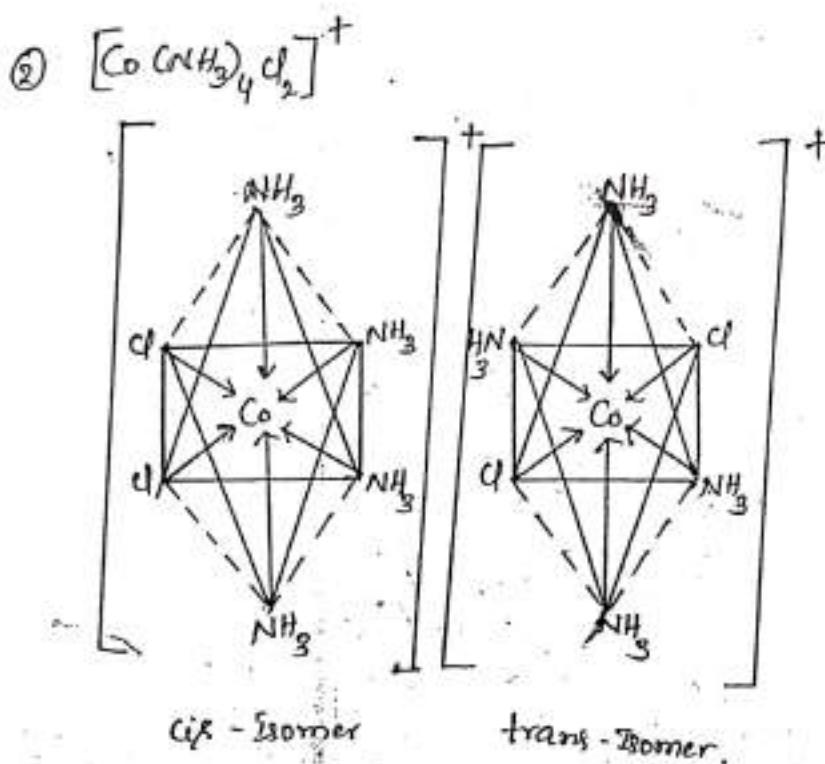
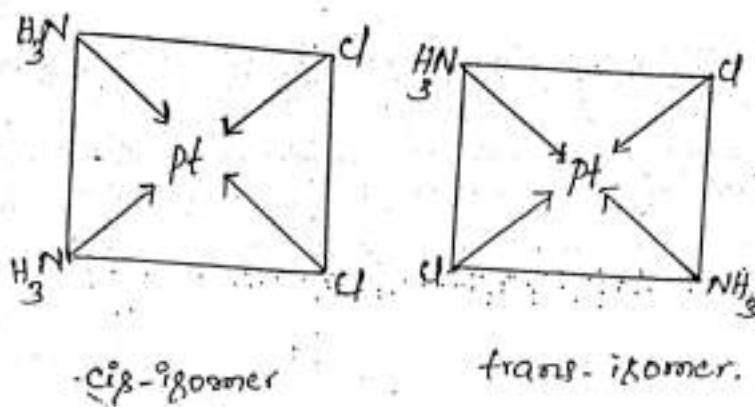
There are two types of stereo isomers namely,

## (iii) Geometrical isomers:-

Isomers which differ in their arrangement of ligands around the central metal ion in space are called geometrical isomers.

A geometrical isomer in which similar ligands are present at same side of metal ion called cis-isomer and the other in which similar ligands present at opposite side of the metal ion is called trans isomer.

ex: ①  $[\text{Pt}(\text{NH}_3)_2\text{Cl}_2]$  ⑧

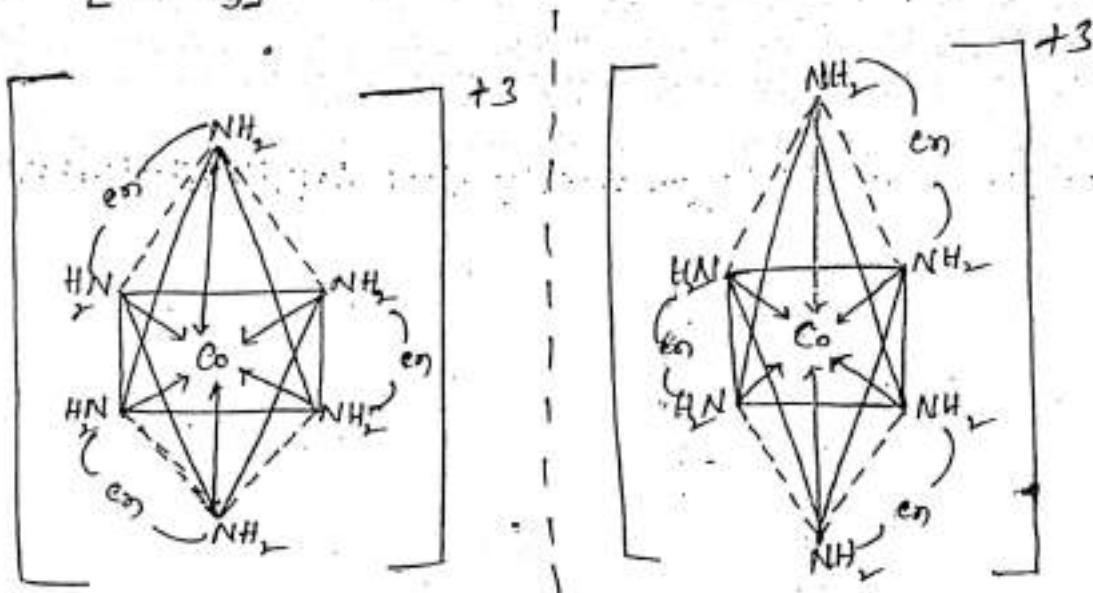
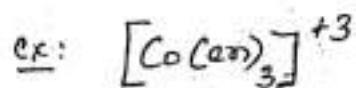


### (b) Optical Isomerism:-

A pair of stereoisomers having same structural formula but differ only in direction of rotating plane polarized light are called optical isomers. and the phenomenon is called optical isomerism.

"Optical isomers are related with each other an object and mirror image and they are non-Superimposable on one another."

An isomer which rotates the plane polarised light towards right is called Dextro rotatory (+) and another isomer which rotates plane polarised light towards left is called as Laevo rotatory (-).



## Crystal field theory. (9)

This theory was developed by Bethe and Van Vleck in 1930, to study the metal ions trapped in crystalline lattices and later on used by chemists to study co-ordination compounds. Hence, it is called as crystal field theory.

According to this theory;

- ⇒ The electrostatic force of attraction between the central metal ion and the ligands (which are anions or polar molecules) is responsible for the bond formation.
- ⇒ There are five d orbitals  $d_{z^2}$  and  $d_{x^2-y^2}$  orbitals are oriented along the axes while  $d_{xy}$ ,  $d_{yz}$  and  $d_{zx}$  are oriented in b/w the axes.
- ⇒ In case of free metal ion all these orbitals are of equal energy. Hence, there is only one set of degenerate orbitals.
- ⇒ When ligands approach the metal ion, these experience greater repulsion from  $d_{z^2}$  and  $d_{x^2-y^2}$  electrons and less repulsion from  $d_{xy}$ ,  $d_{yz}$  and  $d_{zx}$  electrons due to this d-orbitals are split into two sets of degenerate orbitals.
- ⇒ One set of orbitals of higher energy comprising of two degenerate orbitals named eg orbital and another set of three degenerate orbitals of lower energy called  $t_{2g}$  orbitals.
- ⇒ This splitting of five fold degenerate orbitals into two sets of degenerate orbitals with different energies is called "Crystal field splitting".
- ⇒ The difference in energy between the two sets of degenerate orbitals i.e. eg and  $t_{2g}$  is called Crystal field splitting Energy ( $\Delta$ )

### Merits of crystal field theory.

- 1) This theory used to predict most favorable geometry for the complex.
- 2) This theory gives an account for why some complexes are tetrahedral and others square planar.
- 3) Useful in interpreting magnetic properties.
- (4) The colours of many transition metal complexes can be rationalised.

### Demerits of crystal field theory

1. The assumption that the interaction b/w metal-ligand is purely electrostatic can't be said to be very realistic.
2. This theory takes only  $\sigma$ -orbitals into account. The S and P orbitals are not considered for study.
3. This theory fails to explain the behavior of certain metals which cause large splitting while others show small splitting.  
Ex: The theory has no evidence as to why  $H_2O$  is stronger ligand as compared to  $O_2^-$ .
4. The theory gives no significance to the orbits of the ligands. Therefore, it cannot explain any properties related to ligand orbitals.

### (10) Crystal field splitting in octahedral field.

In octahedral environment, 6 ligands will approach metal ion along the three co-ordinate axes in both direction.

Due to electrostatic repulsion energy of  $d_{z^2}$  and  $d_{x^2-y^2}$  orbitals which are oriented along the axes will raised slightly. They are called  $t_{2g}$  orbitals. Energy  $d_{xy}, d_{yz}$  and  $d_{zx}$  orbitals are called  $e_g$  orbitals which are oriented b/w the axes will be lowered by an equal amount.

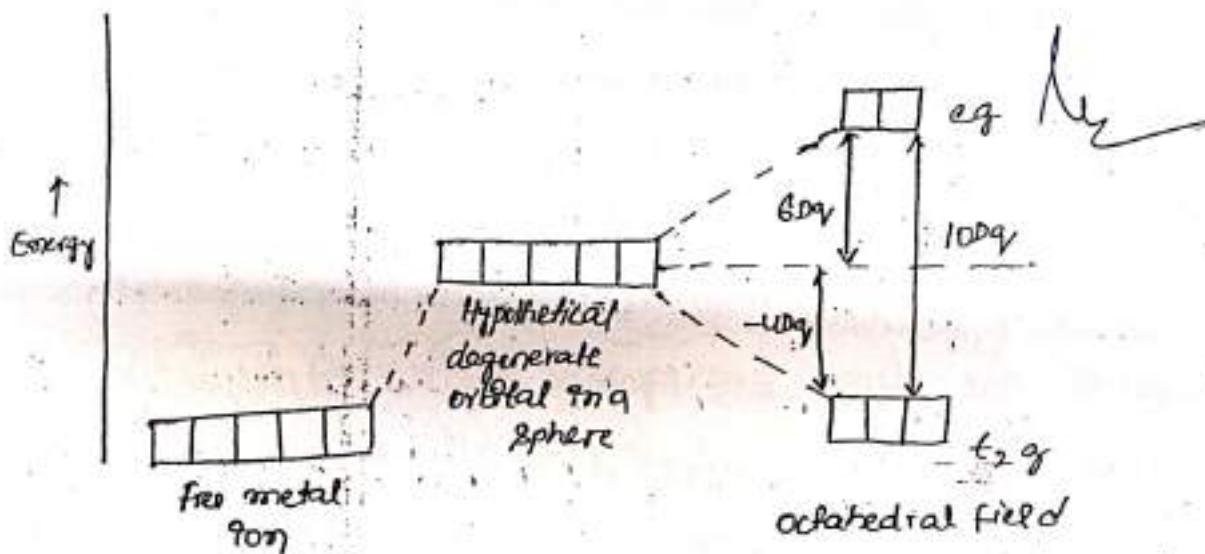
The difference in energy b/w  $t_{2g}$  and  $e_g$  orbital is called as crystal field splitting energy. It is denoted by  $D_q$   $\approx 10 D_f$ . Each orbital in  $e_g$  is destabilized by  $\frac{1}{5} D_q \approx \frac{3}{5} D_q \approx 0.6 D_q$  energy.

$\therefore$  Total increase in energy is  $12 D_q$ . Each orbital is stabilized by  $\frac{2}{5} D_q = 4 D_q = 0.4 D_q$ .

$\therefore$  Total decrease in energy =  $12 D_q$ .

$\therefore$  Net change in energy =  $+12 D_q - 12 D_q = 0$ .

This can be diagrammatically represented as follows.

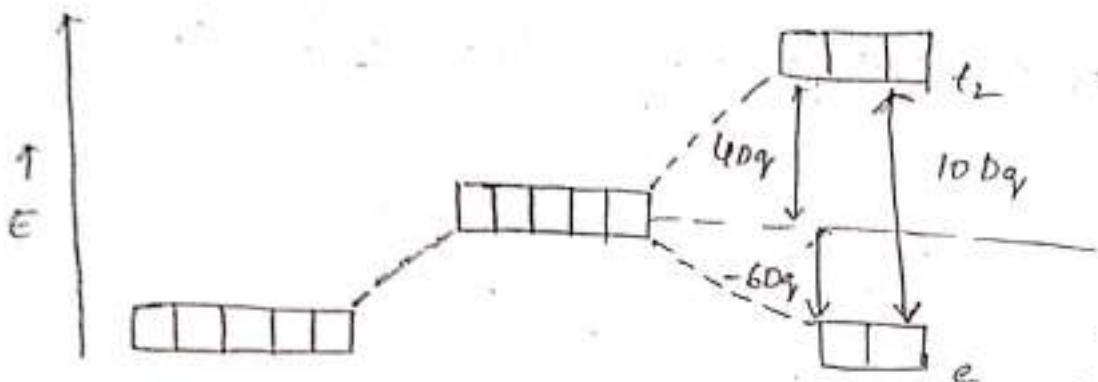


Each electron entering into  $t_{2g}$  orbital is stabilized by  $4 D_q$  energy. Each electron entering into  $e_g$  orbital is destabilised

by  $\delta E$  energy. Sum of the stabilization energies associated with addition of electrons (present in d-orbitals of metal ion) to  $t_{2g}$  and  $e_g$  orbitals is called "crystal field stabilization energy".

### Splitting of d-orbitals in a tetrahedral field.

In some complex compounds, when the d-orbitals of a transition metal ion is approached by four ligands then it is a tetrahedral field. In the tetrahedral field the d-orbitals splits as follows.



' $t_2$ ' set is triply degenerate which is raised in energy. 'e' set is doubly degenerate which is lowered in energy. In ' $t_2$ ' set each orbital is raised in energy by the value of ' $4Dq$ ' and 'e' set each orbital is lowered in energy by the value of ' $6Dq$ '. The energy gap b/w 'e' and ' $t_{2g}$ ' set is called "crystal field splitting energy". It is denoted by a symbol ' $10Dq$ '.

### (iii) $D_t$

### factors Influencing formation of Tetrahedral geometry

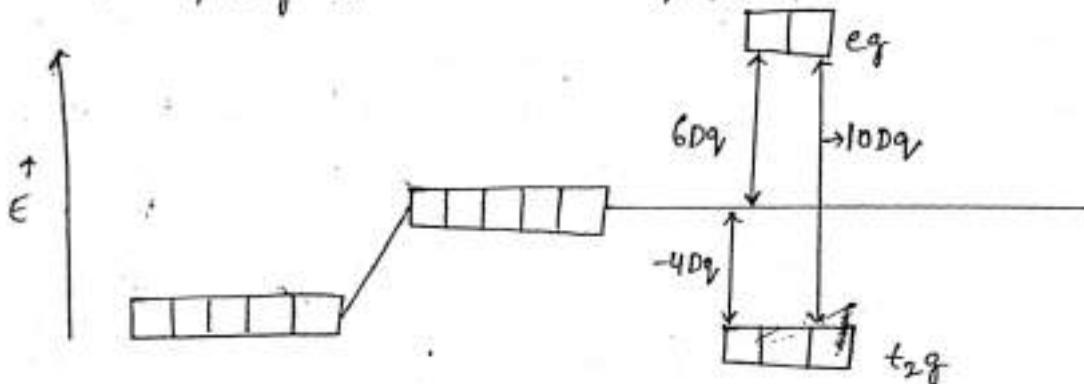
1. Ligands are large, less ligand-ligand repulsion.
2. metal ion with zero CFSE ( $d^0, d^5, d^{10}$ )  $\Rightarrow$  small CFSE ( $d^{12}$  and  $d^8$ ) (central metal ion is in lower oxidation state)
3. when ligands are weak and CFSE loss is important

(21)

## Crystal field Stabilisation Energy.

In an octahedral field the d-orbitals splits into two sets namely  $t_{2g}$  and  $e_g$ . The three orbitals of ' $t_{2g}$ ' set are lowered in energy whereas two orbitals of ' $e_g$ ' set are raised in energy. The energy gap b/w ' $t_{2g}$ ' and ' $e_g$ ' set is represented by a symbol ' $10Dq$ '. In ' $t_{2g}$ ' set each orbital is lowered in energy by a value of ' $-4Dq$ ' and in ' $e_g$ ' set each orbital is raised in energy by a value ' $+6Dq$ '.

The splitting of d-orbitals is represented as follows.



Due to arrangement of electrons in  $t_{2g}$  and  $e_g$  set, the complex is stabilised by certain amount of energy.

Crystal field stabilisation energy is defined as

"The energy by magnitude of which the complex acquires stability due to the arrangement of electrons for different sets of d-orbitals."

Depending on no of electrons present in  $t_{2g}$  and  $e_g$  set. CFS<sup>m</sup>E is calculated as follows.

$$CFS_{m,E} = m(-4Dq) + m'(6Dq)$$

where,  $m$  and  $m'$   $\rightarrow$  no of electrons present in  $t_{2g}$  and  $e_g$  sets respectively.

## Pairing Energy (P)

- It is the energy required to make the electrons undergo pairing in  $t_{2g}$  orbitals.
- If  $P < 10D_g$ , the crystal field splitting energy, then electrons undergoes pairing.
  - If  $P > 10D_g$ , then electrons occupy  $e_g$  orbital without pairing in  $t_{2g}$  orbitals.

Factors Affecting CfSE. ( $\Delta_0 \oplus 10D_g$ ):

The crystal field splitting energy ( $\Delta_0 \oplus \Delta_t$ ) depends on different factors as given below.

(1) Oxidation state of the central metal ion:

larger the charge on central metal ion, greater is the extent of splitting.

(2) Type of  $d$ -orbital:

Generally magnitudes of crystal field splitting is in the order of  $3d < 4d < 5d$ . Then a complex of  $Mn(4d)$  has larger the value of  $\Delta_0$  compared to  $Cr(3d)$ .

(3) Geometry of Complex:

CfSE for Tetrahedral complex is nearly 50% less of the octahedral complex ( $\Delta_0$ ) that is  $\Delta_t = (4/9) \Delta_0$ .

(Smaller the value of  $\Delta_t$  than  $\Delta_0$  due to the lower number of ligands for Tetrahedral field)

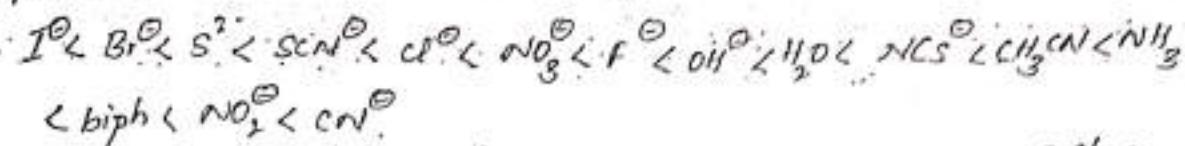
(4) Nature of ligands:

This is most important factor which influences the magnitude of crystal field splitting energy.

### (14) Spectrochemical series

The field strength of different ligands have been determined by ~~optical~~ spectroscopic data. When different ligands are arranged in the increasing order of their ligand field strength, a series is obtained. This series is called spectrochemical series.

The order of ligands in the spectrochemical series is as follows,



In spectrochemical series ligands which can comes after the water including water are called strong field ligands. For all strong field ligands  $\Delta_{\text{DD}}^{\text{Q}}$  value is greater than pairing energy. Those ligands which are kept prior to water are called weak field ligands. For all weak field ligands  $\Delta_{\text{DD}}^{\text{Q}}$  value is smaller than pairing energy.

### Calculation of CFSE in octahedral complexes.

CFSE can be calculated using formula.

$$\text{CFSE} = n(+0.4) - n'(0.6)$$

$n \rightarrow$  no. of electrons in  $t_{2g}$  set.

$n' \rightarrow$  no. of electrons in  $e_g$  set.

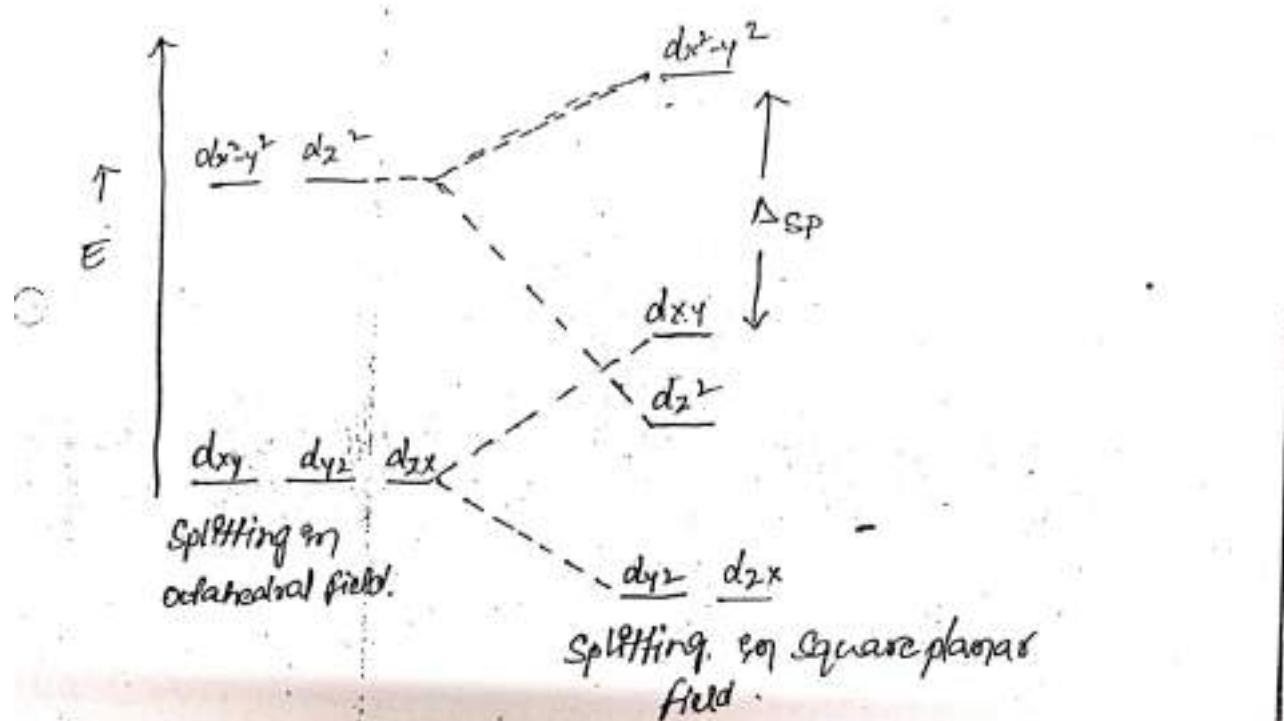
Weak field		Strong field					
$d^n$	Configuration	No. of unpaired electrons	CfSE $\Delta_0$	Configuration	No. of unpaired electrons	CfSE, $\Delta_p$	Example
$d^1$	$t_{2g}^1 eg^0$	1	0.4	$t_{2g}^1 eg^0$	1	0.4	Ti <sup>3+</sup>
$d^2$	$t_{2g}^2 eg^0$	2	0.8	$t_{2g}^2 eg^0$	2	0.8	V <sup>2+</sup>
$d^3$	$t_{2g}^3 eg^0$	3	1.2	$t_{2g}^3 eg^0$	3	1.2	Cr <sup>3+</sup>
$d^4$	$t_{2g}^3 eg^1$	4	0.6	$t_{2g}^4 eg^0$	2	1.6	Cr <sup>2+</sup>
$d^5$	$t_{2g}^3 eg^2$	5	0.0	$t_{2g}^5 eg^0$	1	2.0	Fe <sup>3+</sup>
$d^6$	$t_{2g}^4 eg^2$	4	0.4	$t_{2g}^6 eg^0$	0	2.4	Co <sup>3+</sup>
$d^7$	$t_{2g}^5 eg^2$	3	0.8	$t_{2g}^5 eg^1$	1	1.8	Co <sup>2+</sup>
$d^8$	$t_{2g}^6 eg^2$	2	1.2	$t_{2g}^6 eg^1$	2	1.2	Ni <sup>2+</sup>
$d^9$	$t_{2g}^6 eg^3$	1	0.6	$t_{2g}^6 eg^3$	1	0.6	Cu <sup>+</sup>
$d^{10}$	$t_{2g}^6 eg^4$	0	0.0	$t_{2g}^6 eg^4$	0	0.0	

### (13) Crystal field splitting in square planar complexes.

Ligands approaching metal ion from opposite directions along the axes are called trans ligands.

In square planar complex, trans ligands from 2 directions are removed. Hence,  $d_{2z}^2$ ,  $d_{x2}$  and  $d_{yz}$  electrons in metal ion experience less repulsion when compared to  $d_{x^2-y^2}$  and  $d_{xy}$  electrons. Hence, energy of  $d_{2z}^2$ ,  $d_{x2}$  and  $d_{yz}$  electrons are lowered w.r.t. to octahedral field and energy of  $d_{x^2-y^2}$  and  $d_{xy}$  electrons is increased w.r.t. to octahedral field.

This can be ~~diagrammatically~~ diagrammatically shown as.



Comparison of CFSE of  $\Delta_t$  over  $\Delta_o$ .

The CFSE of Tetrahedral environment is smaller compared to octahedral complexes ( $\Delta_o$ ). This is due to.

1. There are only four ligands in a tetrahedral complex whereas in octahedral complex there are six ligands. Hence, one third decrease in the number of ligands decreases the  $\Delta_t$  value to some extent from  $\Delta_o$  value.
2. The high energy  $t_{2g}$  orbital in tetrahedral complex, although oriented to the ligands, do not point directly at ligands. Hence, the extent of interaction is less. But, in octahedral complexes, the high energy eg. orbitals point directly at ligands. Therefore, the extent of interaction is more. Hence,  $\Delta_o$  is always greater than  $\Delta_t$ .

— O —

## Introduction JAHN-TELLER EFFECT

Kushal P.S  
IV sems

It was stated by Jahn and Teller that any non-linear molecular system in orbitally degenerate electronic state (ie state which represents more than one electronic arrangements of the same energy) would be unstable and it would get stabilised by undergoing distortion in its geometry and thus by causing a split in its orbitally degenerate electronic state.

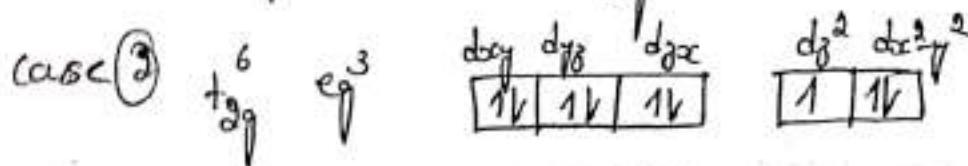
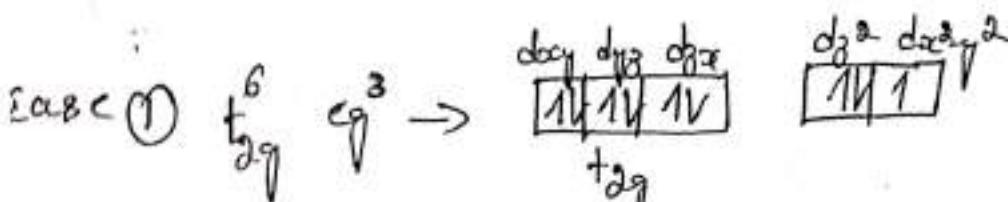
### Definition:

Any non-linear molecular system in orbitally degenerate electronic state would be unstable and that it would get stabilised by undergoing distortion in its geometry and is called Jahn Teller effect

Tetragonal distortion caused by elongation of M-L bond along z-direction

Let us consider an octahedral complex of  $\text{Ca}^{2+}$  ion.

The ground state electronic configuration is  $t_{\text{eg}}^6 e_{\text{g}}^3$ , which represents two electronic arrangements as follows.



In case ①

Electron charge density will obviously become higher in z direction than in x or y direction.

The screening of the positive charge on  $\text{Cu}^{+3}$  nucleus by d-electrons will be more in z direction than in x or y direction.

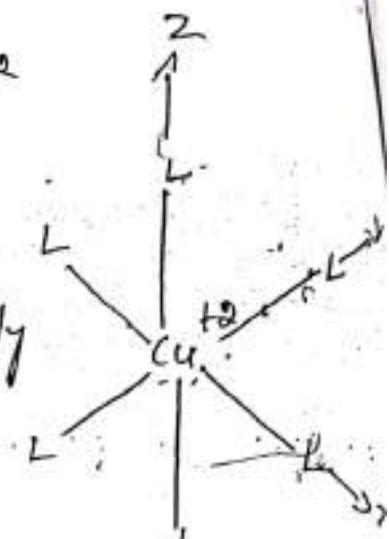
This is due to two electrons are present in  $d_{z^2}$  orbitals whereas in  $d_{x^2-y^2}$  only one electron is present.

Therefore the force of attraction between the metal ion and the ligand decreases ~~to a great extent~~ in z-axis. As a result, the ligand along z-direction will move away from the metal ion whereas the ligands along x and y direction will draw nearer to the metal ion.

In other words, the octahedral geometry of the complex will get distorted to tetragonal geometry. (which is elongated along z direction and compressed x and y directions)

Due to this,  $d_{z^2}$  orbital will be of lower energy and  $d_{x^2-y^2}$  orbital will be of higher energy.

case-2 refer page no.-03



~~other examples~~,  $t_{2g}$  orbitals

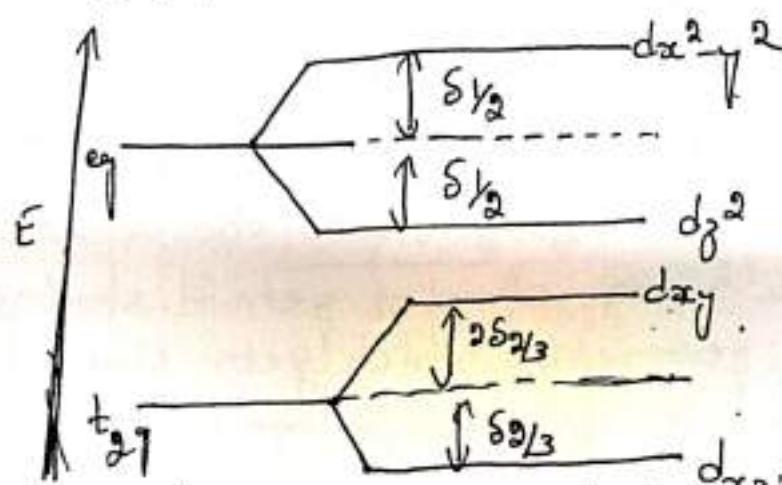
let us now consider an octahedral complex of metal ion with  $t_{2g}^1$  configuration in ground state.

This electron can be present in any of the three  $t_{2g}$  orbitals.

If the electron is present in either of the  $d_{xy}$  and  $d_{yz}$  orbitals, it will screen the nucleus of the metal ion more effectively in the  $xz$  or the  $yz$  plane compared to the  $xy$  plane. This would result in a decrease of attraction between the metal ion and the ligands along the z-direction and an increase in such attraction along x and y direction.

As a result, the metal ligand bonds get elongated along the z direction whereby the octahedral geometry gets distorted to tetragonal geometry.

This increases the energy of  $d_{xy}$  orbitals and decreases the energies of  $d_{xz}$  and  $d_{yz}$  orbitals.

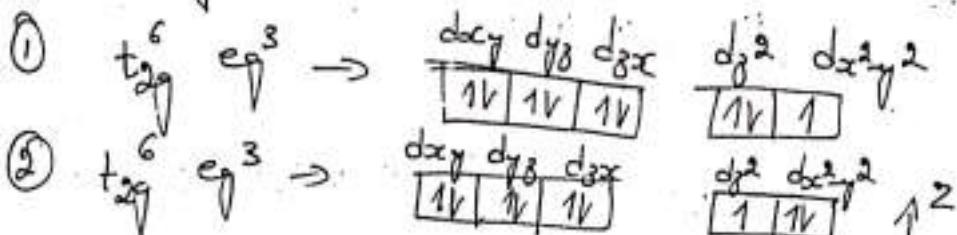


Tetragonal distortion caused by elongation of M-L bond along z-direction

Tetragonal distortion caused by compression of M-L bonds along z direction

case ②  
Let us consider an octahedral complex of  $\text{Cu}^{+2}$  ion.

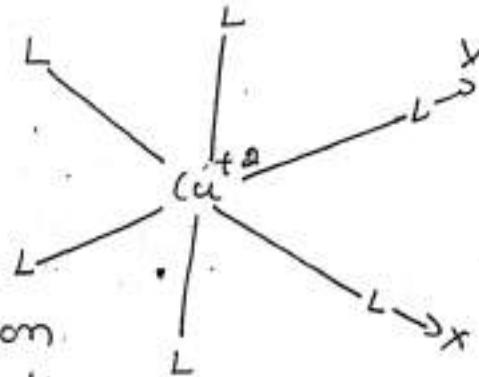
The ground state electronic configuration is  $t_{2g}^6 e_g^3$ , which represents two electronic arrangements as follows



In case ②

In which the  $d_{x^2-y^2}$  orbital has two electrons and the  $d_{z^2}$  orbital one electron, those L are the negative charges on the ligand along x and y directions which are less attracted by the nuclear charge on  $\text{Cu}^{+2}$  ion because of more effective screening of the latter by d electrons in x and y direction.

This results in elongation of metal-ligand bonds along x and y directions and a contraction of metal-ligand bonds along z-direction. This implies that the octahedral geometry of  $\text{Cu}^{+2}$  ion complex gets distorted to tetragonal geometry which gets elongated along x and y directions and compressed along z-direction.

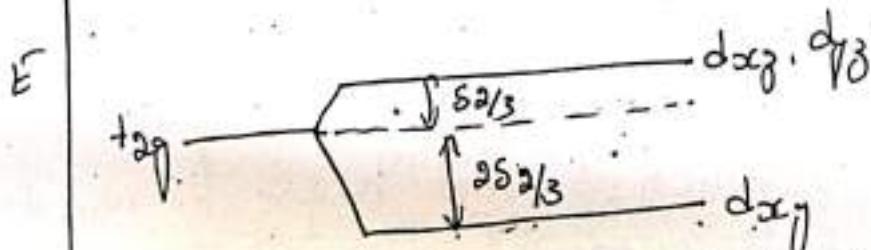
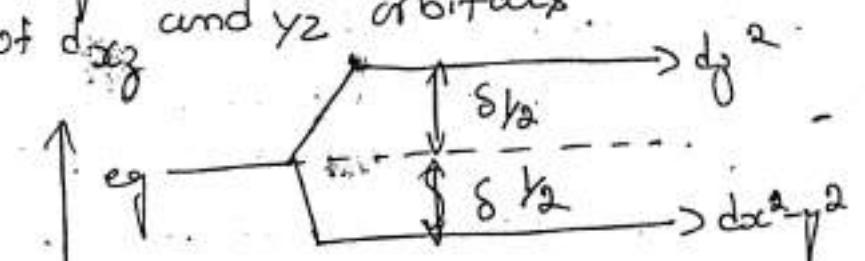


As a result, the  $d_{x^2-y^2}$  orbital becomes of lower energy and  $d_{z^2}$  orbital becomes of higher energy.

Let us now consider an octahedral complex of a metal ion with  $t_{2g}^1$  configuration in ground state.

If the electron is present in  $d_{xy}$  orbitals, it will screen the nucleus of the metal ion more effectively in the  $d_{xy}$  plane compared to the  $d_{x^2-y^2}$  plane.

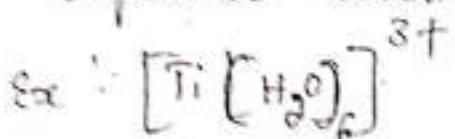
As a result, the octahedral geometry of the complex would get distorted by elongation of the metal-ligand bonds in XY plane, and contraction of the metal-ligand bonds in YZ plane, resulting in a decrease in the energy of the  $d_{xy}$  orbital and an increase in energy of  $d_{x^2-y^2}$  and  $d_{z^2}$  orbitals.



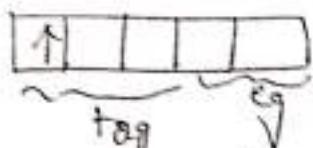
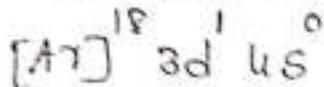
Tetragonal distortion caused by compression of M-L bonds along Z-direction.

## Electronic spectra of complex compounds

It has been seen that the solution of transition metal complexes formed by metal cations having no unpaired electrons in d-orbitals are colourless while the solution of transition metal complexes given by transition metal cations having one or more unpaired electrons in d-orbitals are coloured.

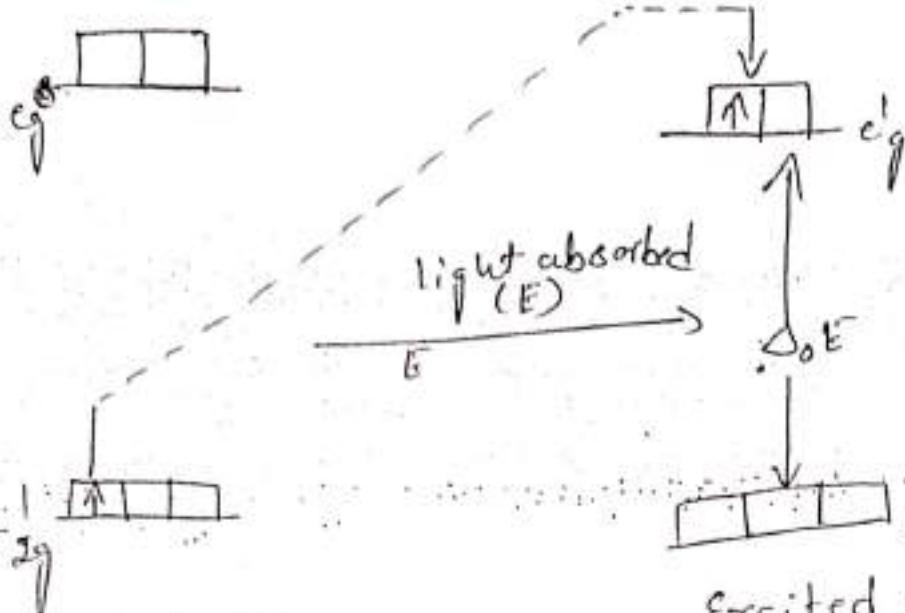


$\text{Ti}^{3+}$  ion has the configuration  $t_{\text{ag}}^1 e_g^0$



The unpaired electron present in  $t_{\text{ag}}$  set of orbitals moves from lower energy  $t_{\text{ag}}$  set to higher energy  $e_g$  set, since the energy of the radiation absorbed by unpaired  $t_{\text{ag}}$  electron is the same as the energy difference between  $t_{\text{ag}}$  and  $e_g$  sets.

This type of electronic transition from  $t_{\text{ag}}$  to  $e_g$  level is called d-d or ligand field transition, which is the cause of the colour of  $[\text{Ti}(\text{H}_2\text{O})_6]^{3+}$  ion.



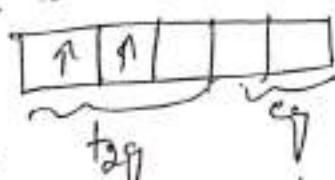
Ground state  
of  $[\text{Ti}(\text{H}_2\text{O})_6]^{3+}$   
 $(t_{2g}^1 e_g^1)$

Excited state  
of  $[\text{Ti}(\text{H}_2\text{O})_6]^{3+}$   
 $(t_{2g}^1 e_g^1)$   
(purple colour)

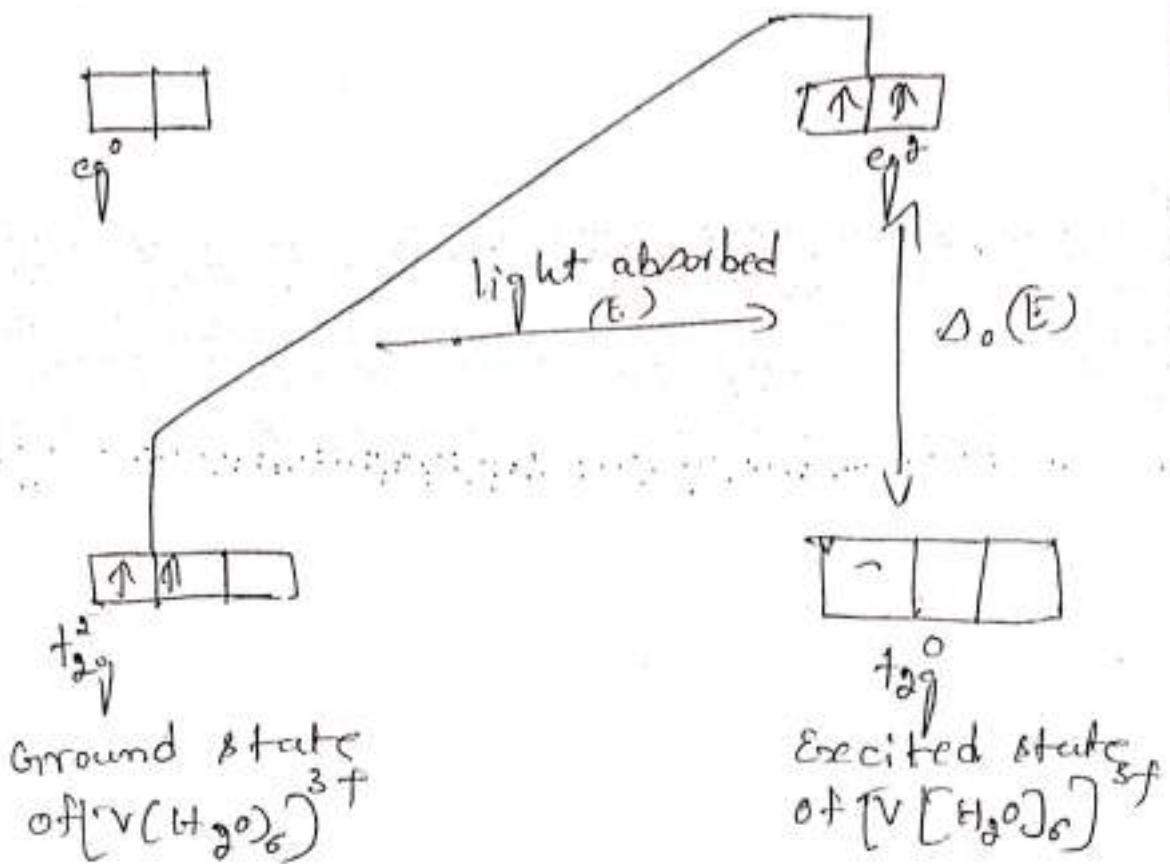
2)  $[\text{V}(\text{H}_2\text{O})_6]^{3+}$

V<sup>3+</sup> oxidation state

$t_{2g}^2 e_g^0$   
 $t_{2g}^1$   $t_{2g}^0$   
 $[\text{Ar}]$  3d 4s



The unpaired electrons present in lower  $t_{2g}$  orbitals get excited to higher  $e_g$  orbitals since energy of the radiation absorbed by unpaired electrons is the same as the energy difference between  $t_{2g}$  and  $e_g$  orbitals. This type of transition is called d-d transition or ligand field transition.



## Magnetic properties of Complex compounds.

By measuring magnetic moment of a complex. It is possible to obtain information about diamagnetic & paramagnetic nature of the substance, and the no. of unpaired electrons in the complex ion can be calculated.

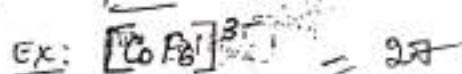
The magnetic moment of a substance can be approximately related to the number of unpaired electrons as

$$\mu_{spf} = \sqrt{m(m+2)} \text{ B.M.}$$

The property of a magnet that interacts with an applied field to give moment

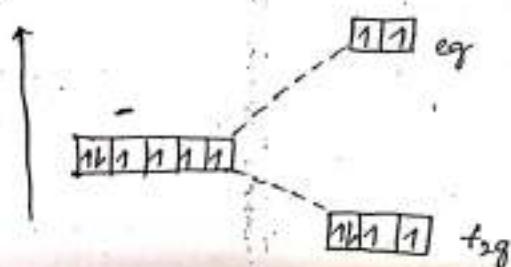
where,  
 $m \rightarrow$  Number of unpaired electrons.  
 The magnetic property of complex depends on number of unpaired electrons in a complex.

### (i) Complexes of Cobalt (Co)



This is an octahedral complex. In this complex the transition metal Cobalt is in +3 oxidation state. Hence it has 6 electrons in d-orbital ( $\text{d}^6$  configuration).

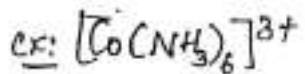
The d-orbitals in octahedral environment split into t<sub>2g</sub> and e<sub>g</sub> orbitals as follows:



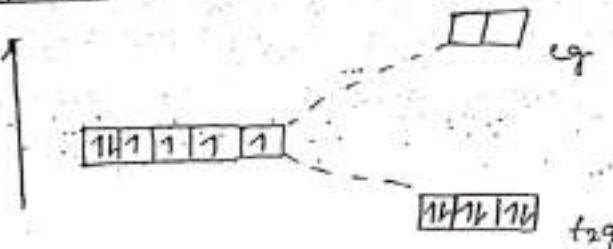
Here  $\Delta_o$  is small compared to pairing energy (P). High spin complex is formed with four unpaired electrons.

$$\mu_s = \sqrt{m(m+2)} = \sqrt{4(4+2)} = 4.89 \text{ B.M}$$

Hence, the complex is paramagnetic.



In this complex the transition metal is Cobalt. It is in +3 oxidation state. It has  $d^6$  configuration. The d-orbitals in octahedral complex split into  $t_{2g}$  and  $e_g$  set. Here, the  $\Delta_o$  is large when compared to pairing energy ( $P$ ) then it is preference to no spin complex with ~~no~~ no unpaired electrons.

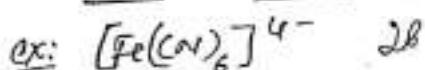


Since, there is no unpaired electrons.

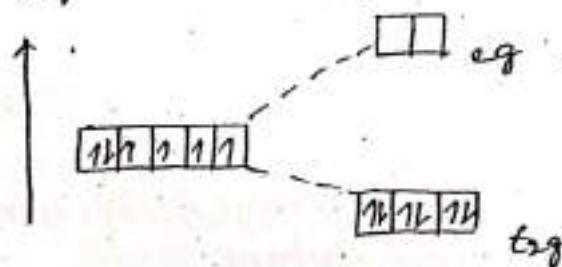
$$\mu_s = \sqrt{n(n+2)} = \sqrt{0(0+2)} = 0 \text{ B.M.}$$

Hence, the complex is diamagnetic.

### (ii) Complexes of Iron (Fe)



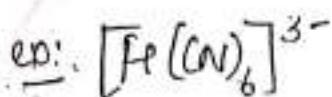
In this complex the transition metal is Iron. It is in +2 oxidation state. It has  $d^6$  configuration. The d-orbitals in octahedral complex split into  $t_{2g}$  and  $e_g$  set. Here, the  $\text{CN}^-$  ion has high crystal field splitting energy, Hence,  $\Delta_o$  is fairly large, larger than pairing energy ( $P$ ). There is no unpaired electrons.



$$\mu_s = \sqrt{n(n+2)} = \sqrt{0(0+2)} = 0 \text{ B.M.}$$

Hence, the complex is diamagnetic.

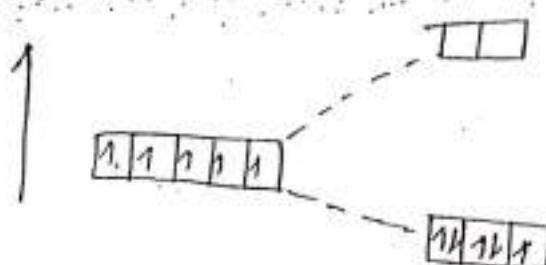
(26)



(27)

In this complex Iron is in +3 oxidation state. It has  $d^5$  configuration. The d-orbitals will split into  $t_{2g}$  and eg sets. Here CN<sup>0</sup> ion has high crystal field splitting energy.

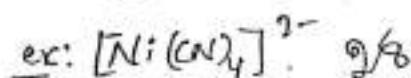
$\Delta_o$  is large when compared to pairing energy (P). Then there is one unpaired electron in  $t_{2g}$  set. Then the complex is expected to be paramagnetic.



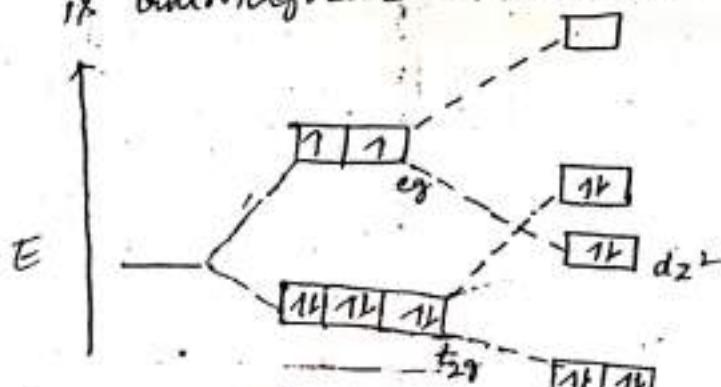
$$\mu_s = \sqrt{1(1+2)} = 1.41 \text{ B.M.}$$

Hence, the complex is paramagnetic.

### (iii) Complexes of Nickel (Ni):



Nickel is in +2 oxidation state and has  $d^8$  configuration. The complex is square planar. The CN<sup>0</sup> ion being strong field ligand has a high crystal field splitting energy which is larger than the pairing energy (P). Thus, the electrons are forced to pair up and Ni(II) has an electronic configuration  $t_{2g}^6 d_{2g}^2$ . Hence, there is no unpaired electrons, the complex is diamagnetic in nature.

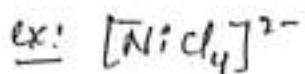


Since, there is no unpaired electrons.

$$\mu_s = \sqrt{n(n+2)} = \sqrt{0(0+2)} = 0.81$$

Hence, the complex is

diamagnetic.



In this 18 Complex ion Nickel is in +2 oxidation state and d<sup>8</sup> configuration. The complex is tetrahedral. Since, the Cl<sup>-</sup> is weak field ligand, pairing energy is large when compared to Δ<sub>f</sub> (crystal field splitting energy) unable to force to pair up electrons. There are two unpaired electrons.



Since, there are two unpaired electrons.

$$\mu_s = \sqrt{n(n+2)} = \sqrt{2(2+2)} = \sqrt{8} = 2.82 \text{ B.M.}$$

Hence, the complex compound is paramagnetic.